# Fermi Project Update

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# 1 Universal Parameters

- $\theta = 0.1 = Rate$  of Convergence; inversely proportional to the Gaussian's width
  - $1/\theta = 10$  steps to converge back to the mean
- $\sigma = 0.9 = Degree$  of Randomness; directly proportional to the Gaussian's width
- $v_{p,i} = 10^{-4}c \approx 30 km/s = Probe's Initial Velocity$
- $d_{p,i} = 10^{-2.51} kpc \approx 10 lyr = Probe's Initial Range/Distance$
- $t_{p,i} = d_{p,i}/v_{p,i} = 100,000 \ yrs = 10^5 \ yrs = Probe's Initial Travel Time$
- #  $Systems = 10^3$

# 2 Galaxy Model Parameters

- $T_{tot} = 10^9 \ yrs = Total \ Simulation \ Runtime$
- $T_s = 10^8 \ yrs = Civilization \ Lifetime^1$
- $T_{first} = 10^5 \ yrs = Time \ to \ Launch \ First \ Probe$
- $T_p = 10^5 \ yrs = Probe \ Launch \ Period \ (after \ first)$

 $<sup>^{1}</sup>$ settled duration in namelist

## 3 Periodic Box Model Parameters

- $T_{tot} = 10^6 \ yrs = Total \ Simulation \ Runtime$
- $T_s = 10^{4.7} yrs = 5.01 \times 10^4 yrs = Civilization Lifetime$
- $T_{first} = 10^3 \ yrs = Time \ to \ Launch \ First \ Probe$
- $T_p = 10^3 \ yrs = Probe \ Launch \ Period \ (after \ first)$
- $v_s = 100 \ km/s = average \ velocity \ of \ stellar \ substrate^2$
- Box Volume =  $(0.055 kpc)^3 = 1.66 \times 10^{-4} kpc^3$

• 
$$f\rho = \frac{\# Systems}{Box Volume} \approx 6 \times 10^6 \, kpc^{-3}$$

• Initial Dimensionless Quantities

$$- \eta_{i} = f \rho d_{p,i}^{3} \approx 0.177$$
$$- \nu_{i} = \frac{v_{s}}{v_{p,i}} = 3.3$$
$$- \tau_{i} = \frac{T_{p}}{t_{p,i}} = 0.01$$

• Other timescales

$$-T_{c,i} = 5.42 \times 10^4 \, yr$$

- $-T_R = 5.38 \times 10^4 \, yrs$
- Ratios

$$- T_c/T_s = 1.082$$
  
 $- T_c/T_R = 1.008$ 

#### 4 Definitions

- Dimensionless Quantities
  - $-\eta = f \rho d_p^3 = Normalized density of settleable systems within probe range$
  - $-\nu_s = v_s/v_p =$  Velocity of stellar substrate normalized by probe speed
  - $-\tau_p = T_p/t_p = Probe$  launch period normalized by probe travel time
- Timescales
  - $-T_c = (f\rho v_s \pi d_p^2)^{-1} = Encounter time between systems due to stellar motions (collision timescale)$  $- T_R = (f\rho)^{-1/3}/v_s = Reconfiguration Timescale$
- Ratios

 $-T_c/T_s$ 

\* If  $\geq 1$ , then their will be exponential growth.

\* If < 1, then systems will die out.

 $-T_c/T_R$ 

\* If  $\leq 1$ , then pockets will form.

\* If > 1, then the systems will be well-mixed.

 $<sup>^{2}</sup>v_{rms}$  in namelist