

Physics 113 - December 4, 2012

Last
Time



Simple Harmonic Motion

$$\frac{d^2x}{dt^2} + (\text{const})x = 0$$

$$x = A \sin(\omega t + \phi)$$

initial
phase angle

→ defines starting point

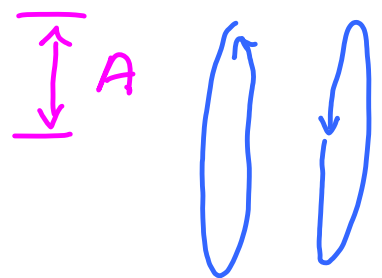
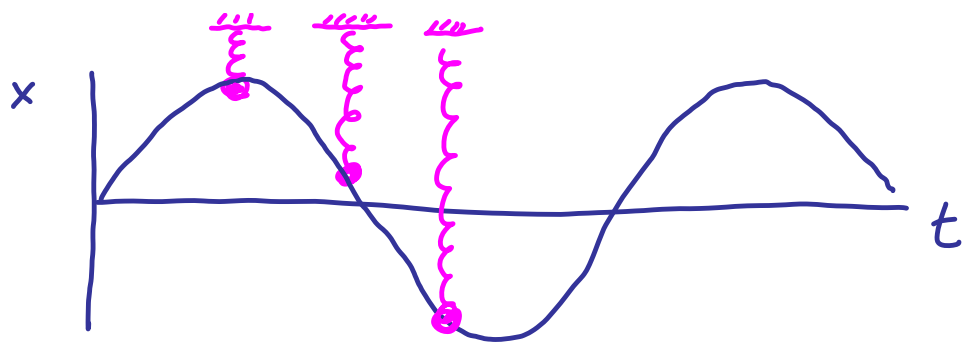
where $\omega^2 = \text{const}$

Think
of
springs

Amplitude

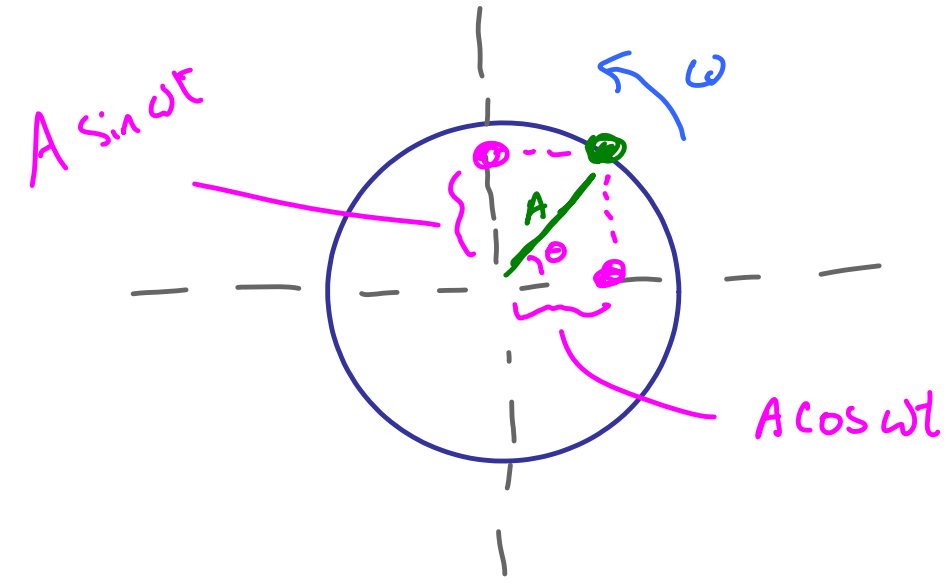
Frequency

$$= \frac{2\pi}{T} \text{] - Period}$$

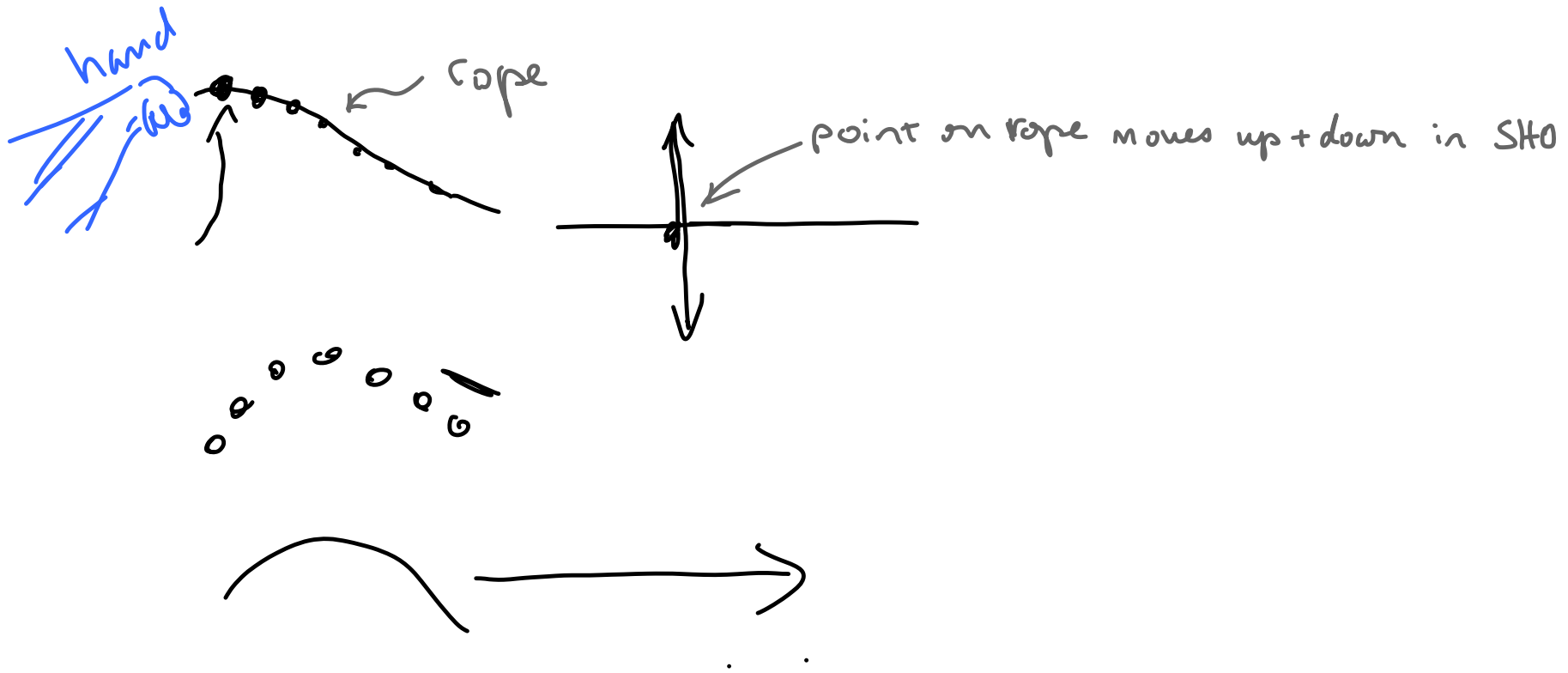


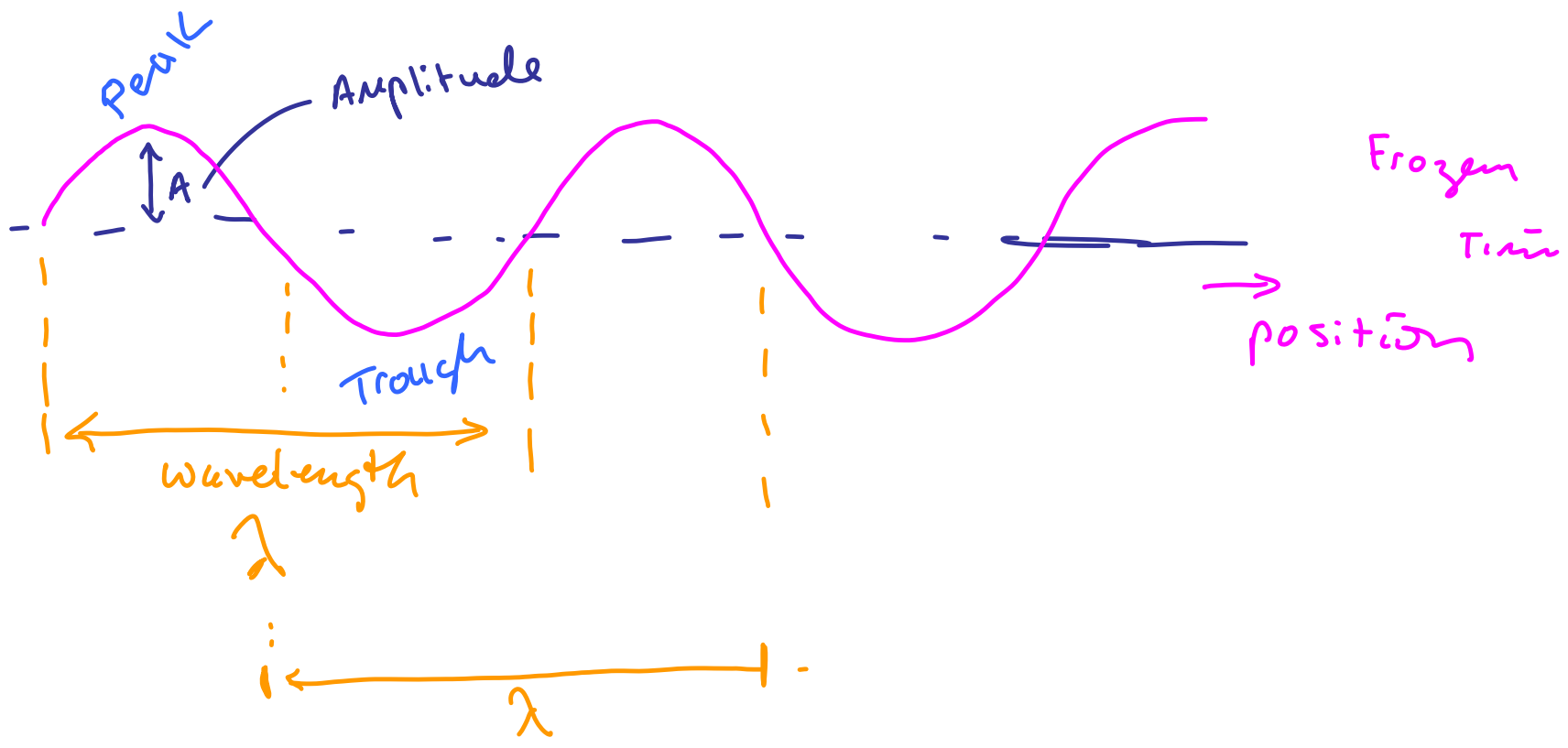
one full cycle of motion in time of one "period"

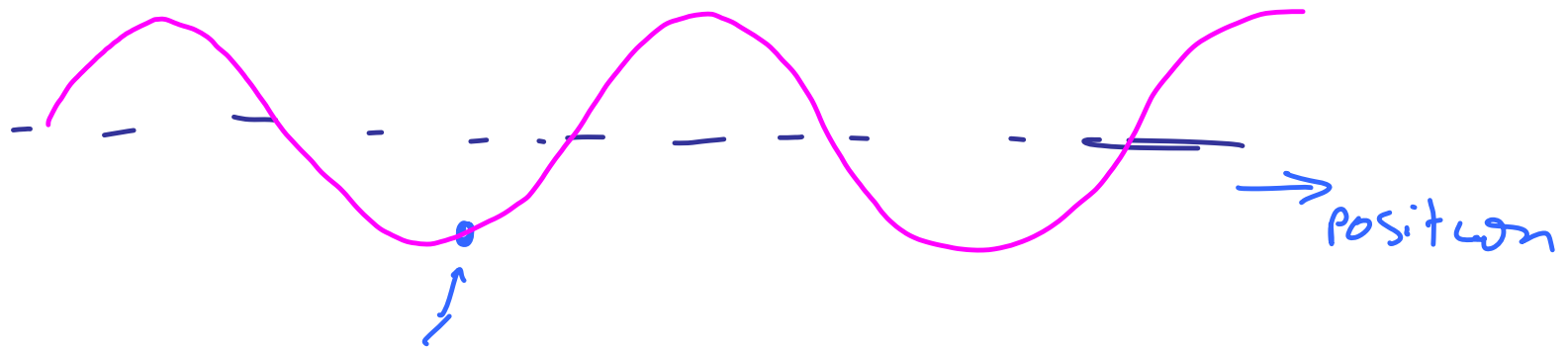
SHO
+ connection to
circular motion



Waves





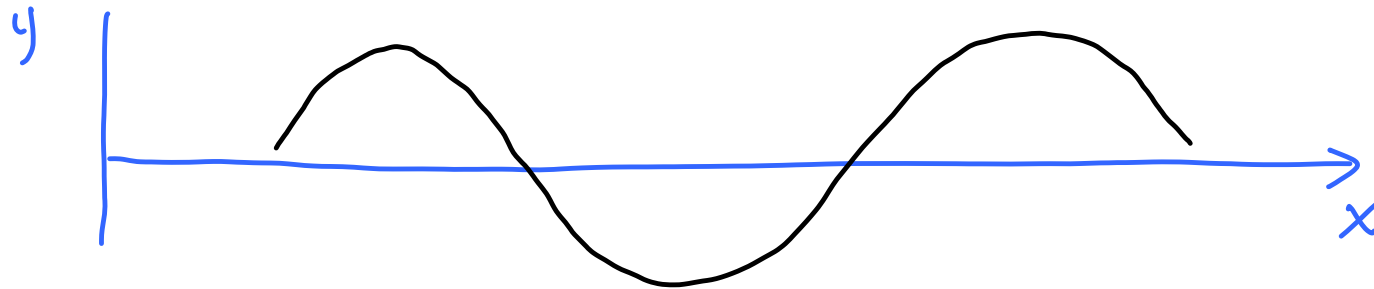


T \equiv time for element to execute one full cycle

$$\text{frequency} = \frac{1}{T} = f$$

$$v = \frac{\lambda}{T} = \lambda f = \lambda v$$

$$v \equiv \text{velocity} = \frac{\lambda}{T}$$

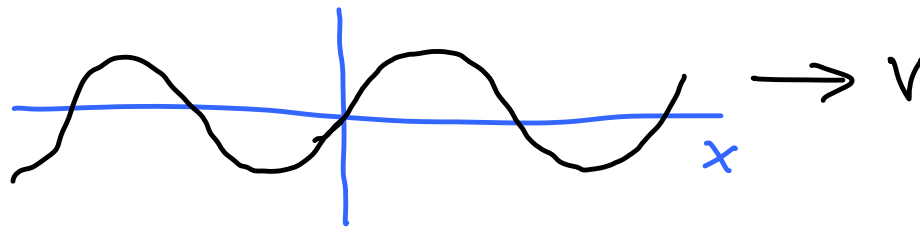


$$y(x) = A \sin(kx)$$

Wave #

$$\equiv \frac{2\pi}{\lambda}$$

allow time to move, what is y at $x=0$



$$y \sim A \sin(\omega t)$$

\uparrow
 $2\pi/T$

Try $y(x,t) = A \sin(kx - \omega t)$

wave to
right

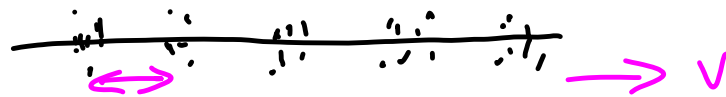
fix this

$$y(x,t) = A \sin(kx + \omega t)$$

wave to
left



TRANSVERSE wave



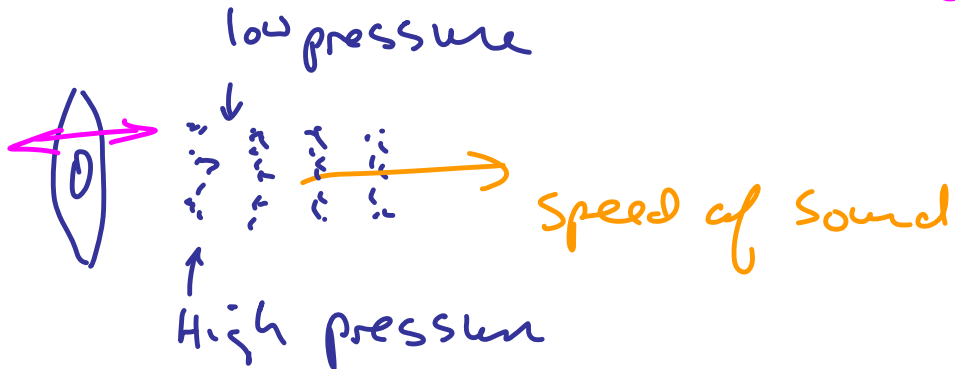
Longitudinal wave

Think of a wave on a "slinky"

velocity waves on a string

$$v = \sqrt{\frac{T}{\mu}}$$

← Tension
← linear mass density



$$v_{\text{sound wave}} = \sqrt{\frac{B}{\rho}}$$

← Bulk modulus
← density

Waves and boundaries

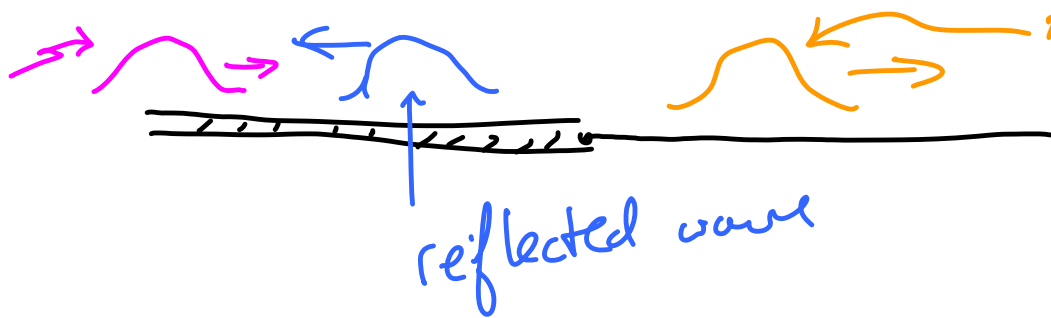
Boundaries between "media"

incoming wave

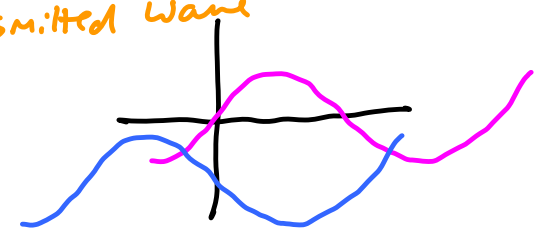


TRANSMITTED wave

incoming wave

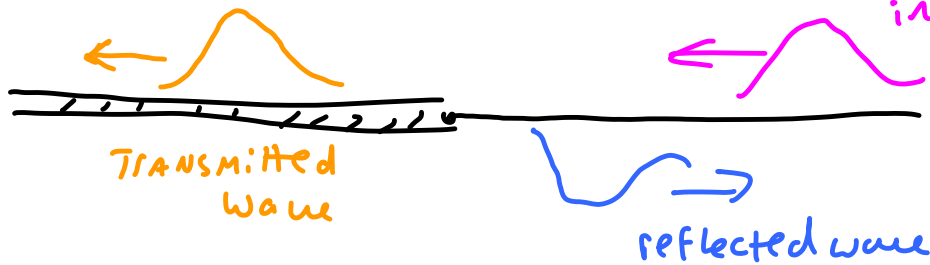


Transmitted wave



TRANSMITTED wave

incoming wave

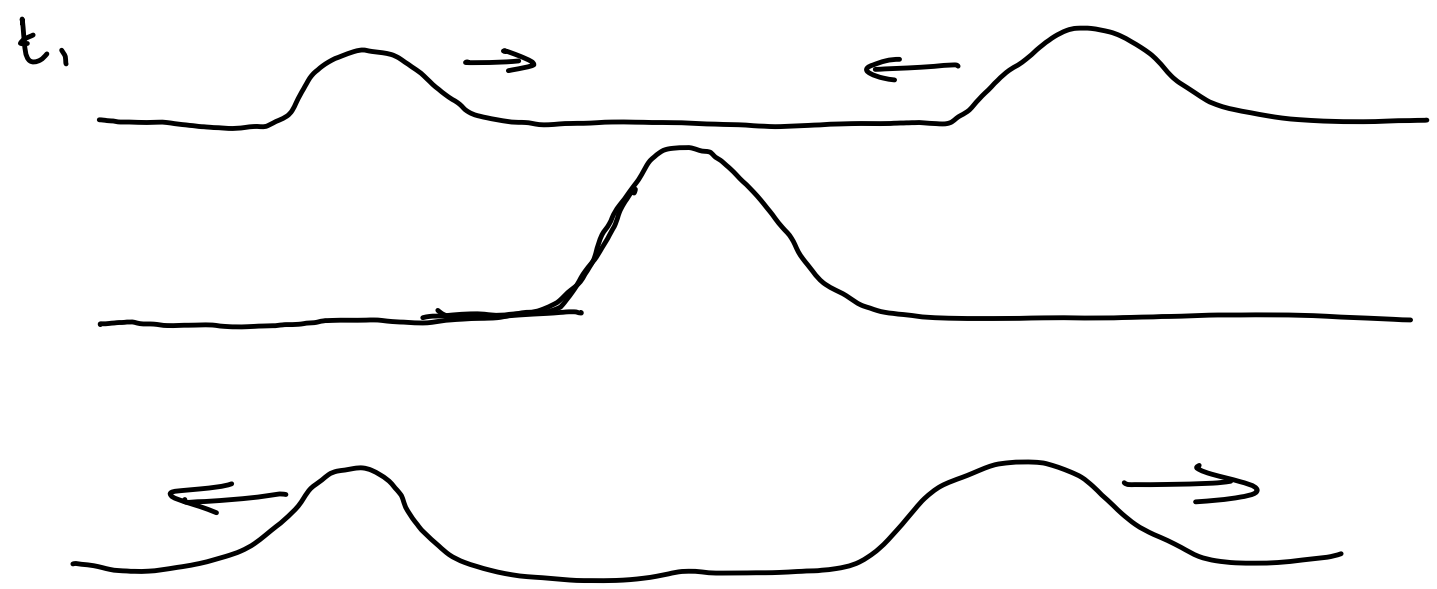


reflected wave

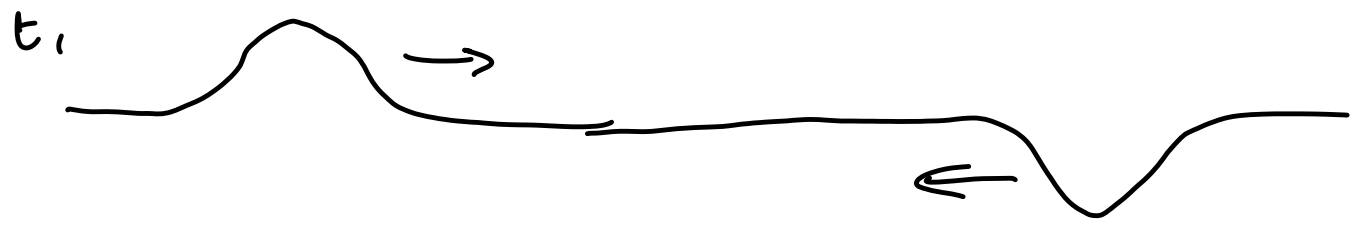
fast to slow } 180° phase change
low μ to high μ }

slow to fast } \rightarrow no phase change
high μ to low μ }

Waves exhibit "Superposition"



constructive
"interference"



destructive
interference

