

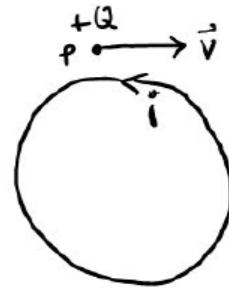
Physics 114 – Spring 2015 – Workshop module 8

- 1) In each of the following specify the direction of the force on the positive charge Q . Specifically, write down the appropriate choice from the list: there is no force on Q ; into the paper; out of the paper; to the left (in the plane of the paper); to the right (in the plane of the paper); toward the top (in the plane of the paper); toward the bottom (in the plane of the paper).

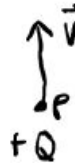
- a) Point p is in center of positive current loop shown in plane of paper. Q moves into the paper.



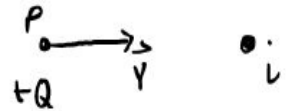
- b) Point P lies outside of the positive current loop shown in the plane of the paper. Q moves to the right.



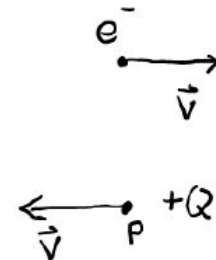
- c) Current comes out of the paper toward you. Q moves upward in plane of the paper.



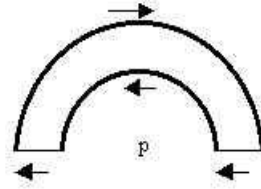
- d) Current comes out of the paper toward you. Q moves to the right.



- e) An electron moves to the right as shown while Q moves to the left.

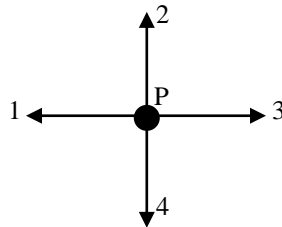


2. The wire semicircles in the figure to the right have radii a and b . Calculate the net magnetic field (magnitude and direction) at the point P (at the center of the loops) due to the current I passing through the loop in the direction shown.



3. Two straight wires are perpendicular to the plane of this page. One, located at point M , carries a positive current into the page. One, located at point N , carries a positive current out of the page. The vector that best represents the resultant magnetic field at point P is

- a) 1
 b) 2
 c) 3
 d) 4
 e) none of these is correct.



4. A conductor is made in the form of a hollow cylinder with inner and outer radii a and b , respectively. It carries a current I , uniformly distributed over its cross section. Derive expressions for the magnitude of the magnetic field in the regions a) $r < a$; b) $a < r < b$; c) $r > b$.
5. Consider a cylindrical, current-carrying shell. Referring to the sketch to the right, the shell carries a current I out of the paper spread over its surface area according to a current density $j(r) = K/r$, where K is a constant. The shell has inner radius R and outer radius $2R$.

- a) Determine the magnetic field in the region $r < R$ in terms of K , I , and R .
- b) Determine the magnetic field in the region $R < r < 2R$ in terms of K , I , and R .
- c) Determine the magnetic field in the region $r > 2R$ in terms of K , I , and R .
- d) Show that $K = I/2\pi R$

