

Physics 142 - November 23, 2008



Happy
Thanksgiving

Enjoy those
Full Body
Scans!

■ Exam 2

■ Physical optics ?

Presentations coming up

December 2

Rail guns
Superconductivity

December 7

Electrical musical instruments
Relativity

December 9

EM in Chem + medicine
Lasers

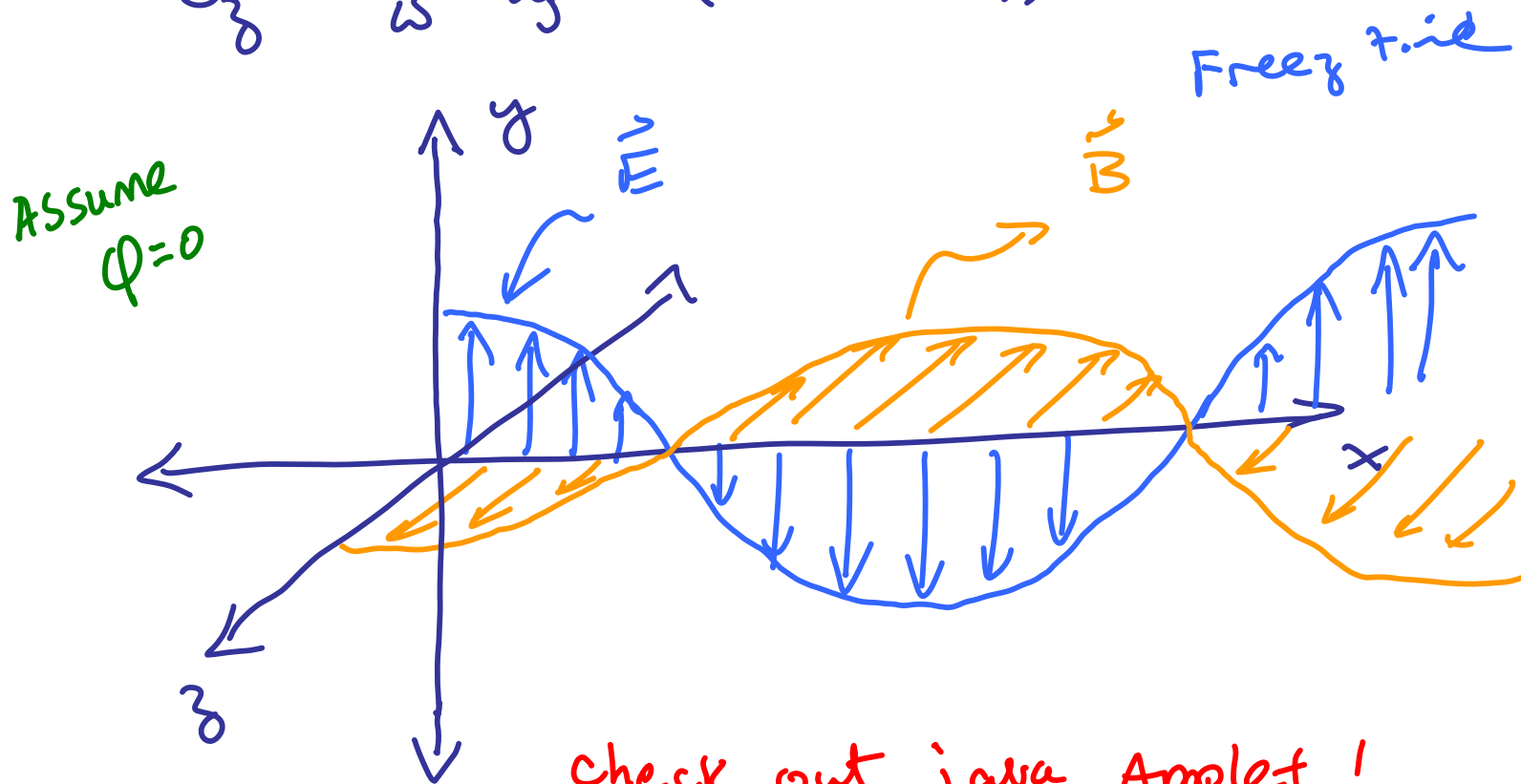
$$E_y(x,t) = E_{0y} \cos(kx - \omega t + \phi)$$

$$\frac{2\pi}{\lambda}$$

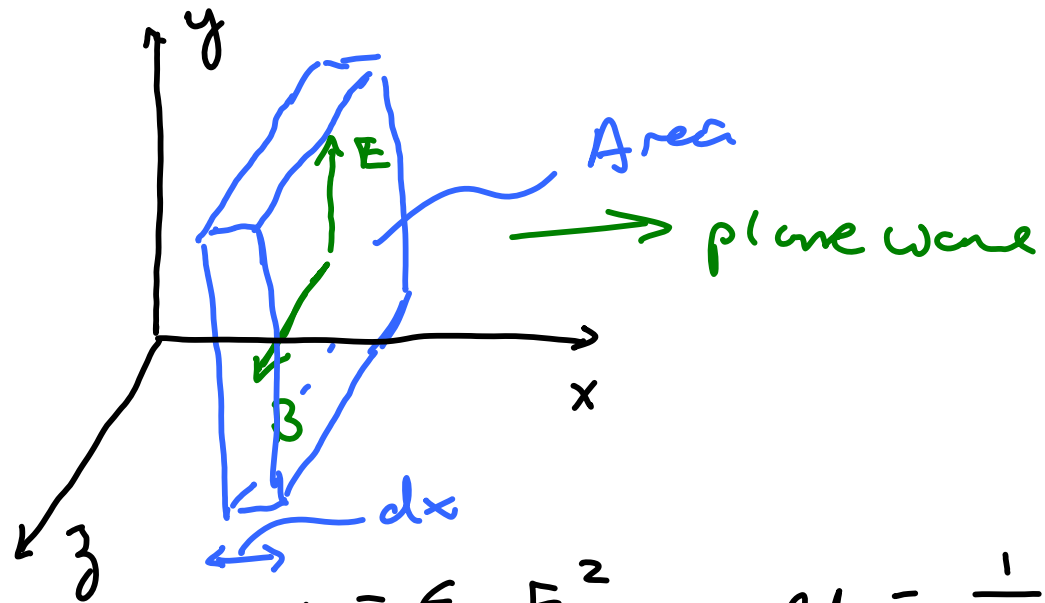
$$\frac{2\pi}{T}$$

Phase
(initial condition)

$$B_z = \frac{k}{\omega} E_{0y} \cos(kx - \omega t + \phi)$$



Energy Flow



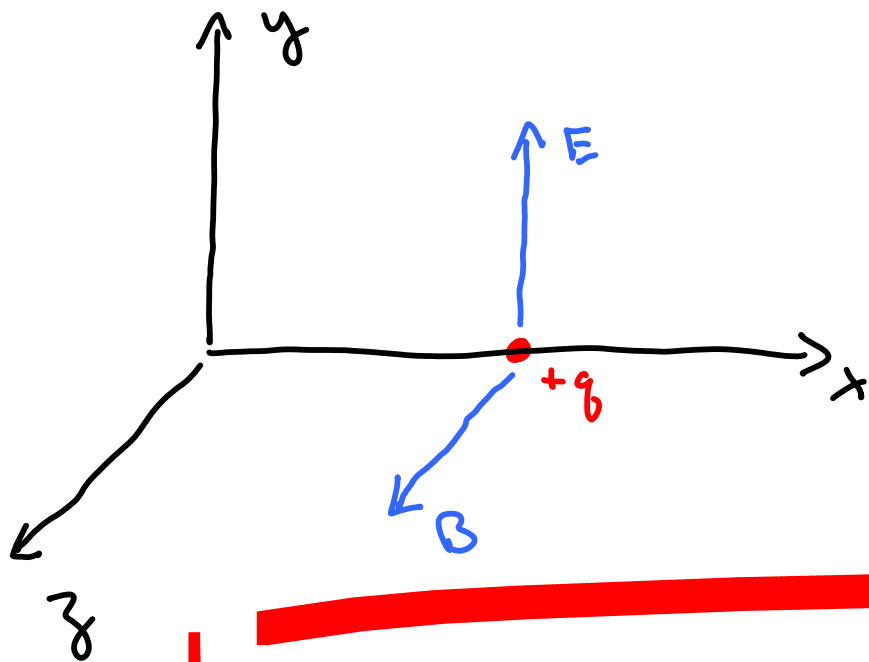
$$u_E = \frac{\epsilon_0}{2} E^2$$

$$u_B = \frac{1}{2\mu_0} B^2$$

$$\vec{S} = \frac{\vec{E} \times \vec{B}}{\mu_0} \equiv \text{Poynting vector}$$

$$|\vec{S}| \equiv \text{intensity} \quad \frac{\text{Power}}{\text{m}^2} = \frac{\text{Watts}}{\text{m}^2 \cdot \text{s}}$$

$$\vec{S} \equiv \langle S \rangle = \frac{E_0^2}{2\mu_0 c} = \frac{c B_0^2}{2\mu_0}$$



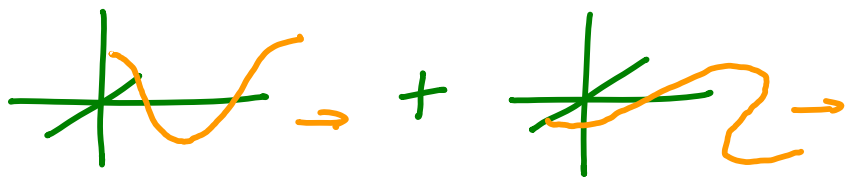
Momentum of EM wave $P = U/c$

IF wave absorbed

$$\text{Radiation Pressure} = S/c$$

$$\text{Ave. Radiation Pressure} = \langle S \rangle / c$$

x2 if wave is reflected

General Soln \rightarrow 

Superposition of two
orthogonal waves

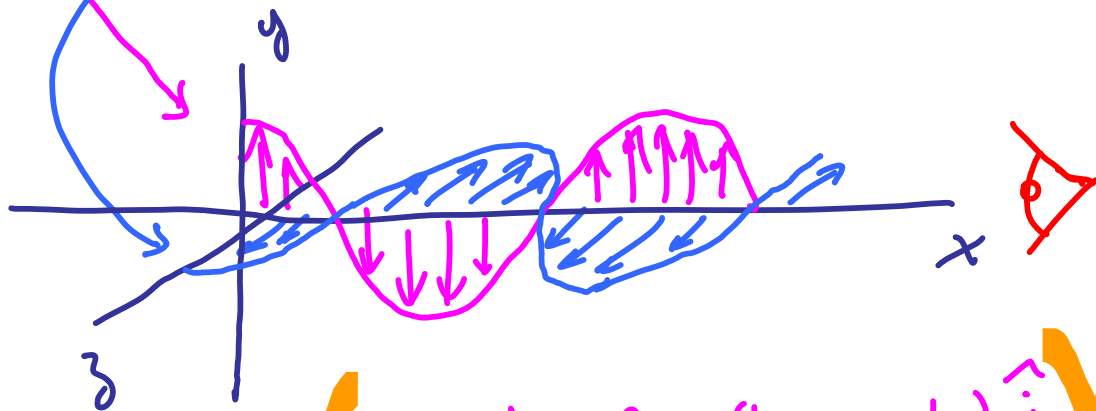
(Form a basis)

1 - plane polarized y axis

\vec{E} along y

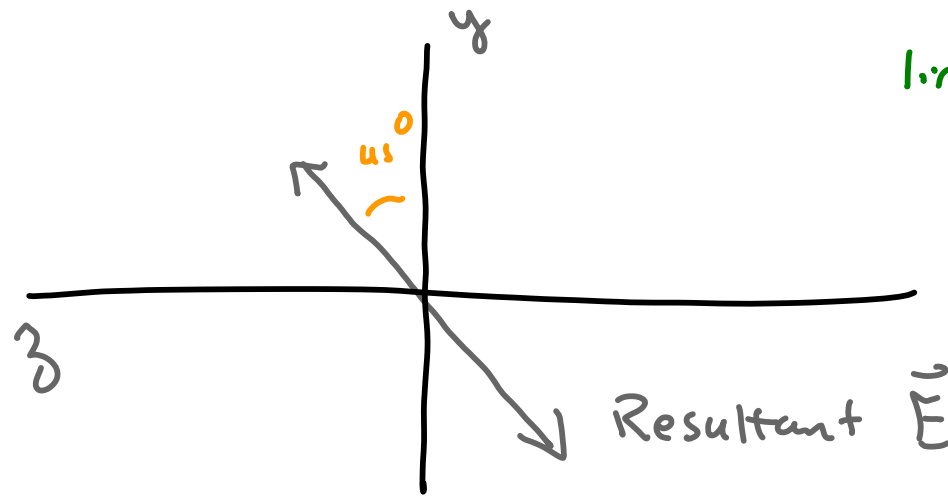
1 - plane polarized z axis

\vec{E} along z

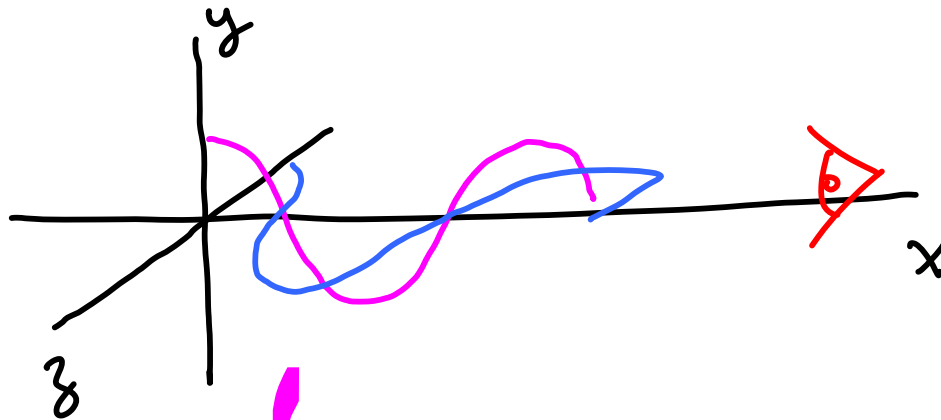


$$\begin{cases} E_y = E_{0y} \cos(kx - \omega t) \hat{j} \\ E_z = E_{0z} \cos(kx - \omega t) \hat{k} \end{cases}$$

independent -
Could have
different
Amplitudes
+ relative phase
difference

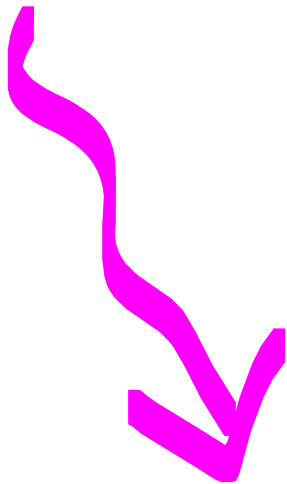


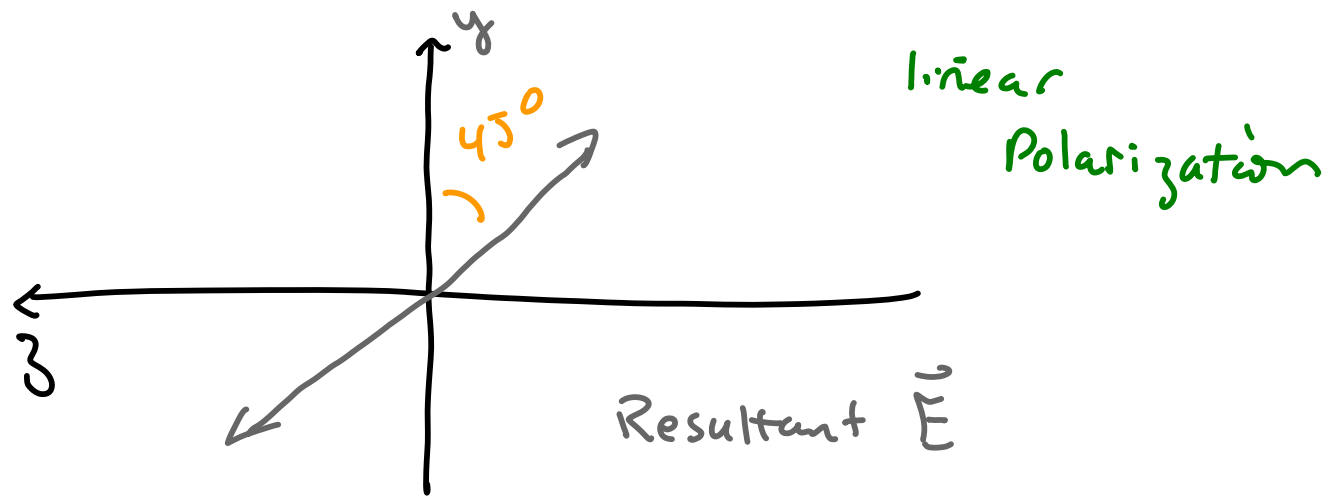
Linear
Polarization

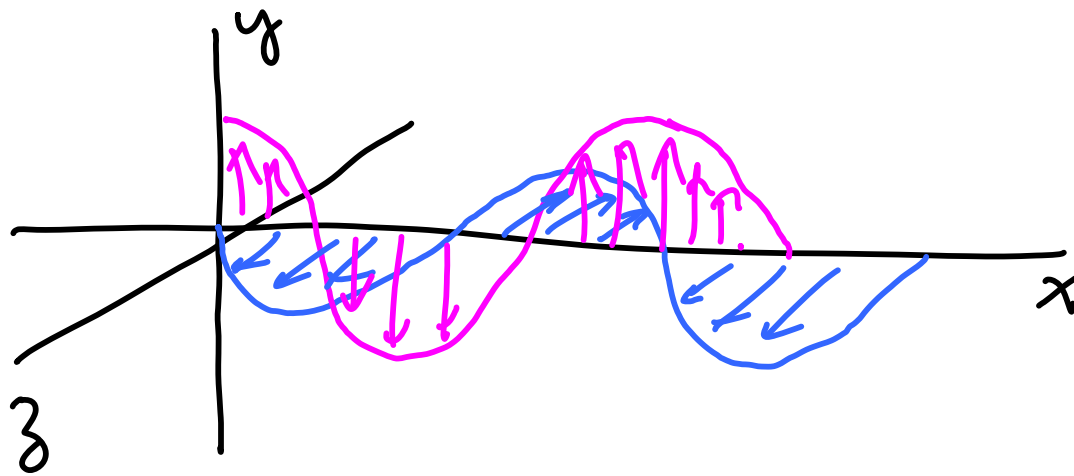


$$E_x = E_{0x} \cos(kx - \omega t)$$

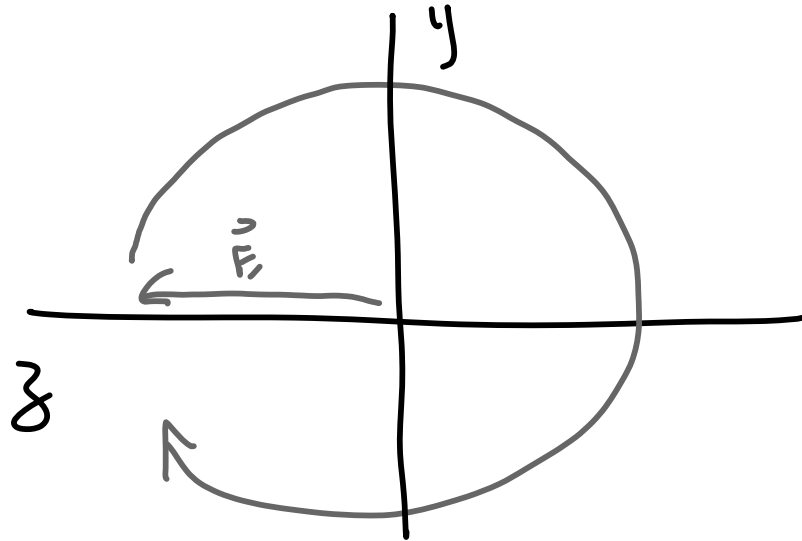
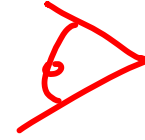
$$E_y = E_{0x} \cos(kx - \omega t + \pi)$$







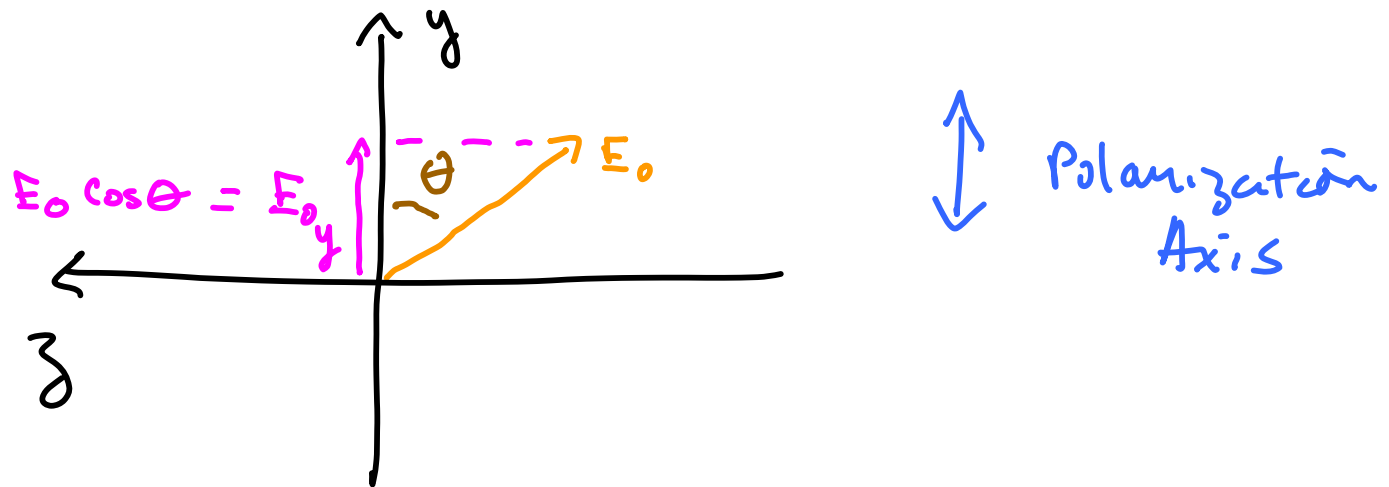
Shift by $\pi/2$



Clockwise
Rotation

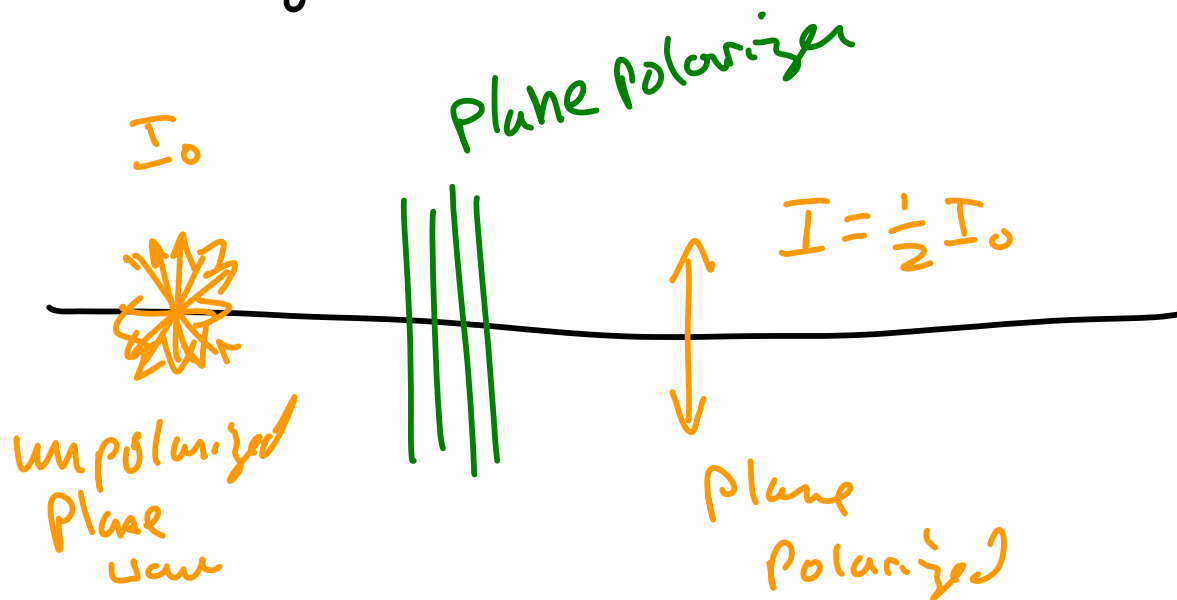
Right
Circular
Polarization

See java applet

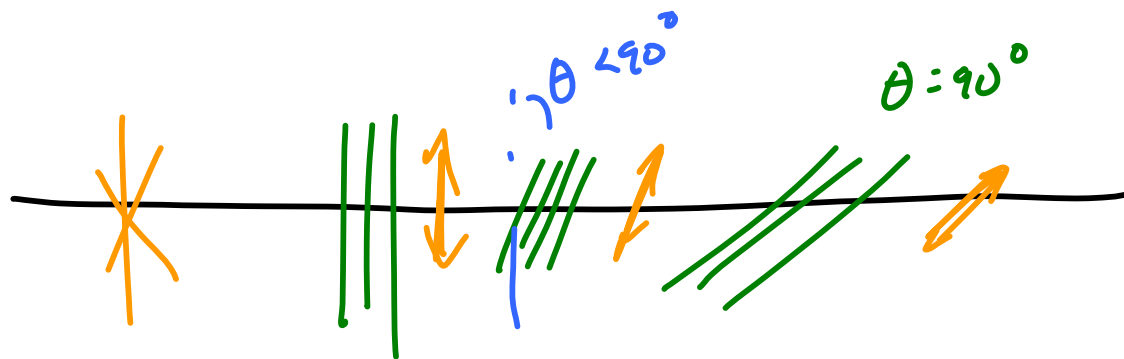
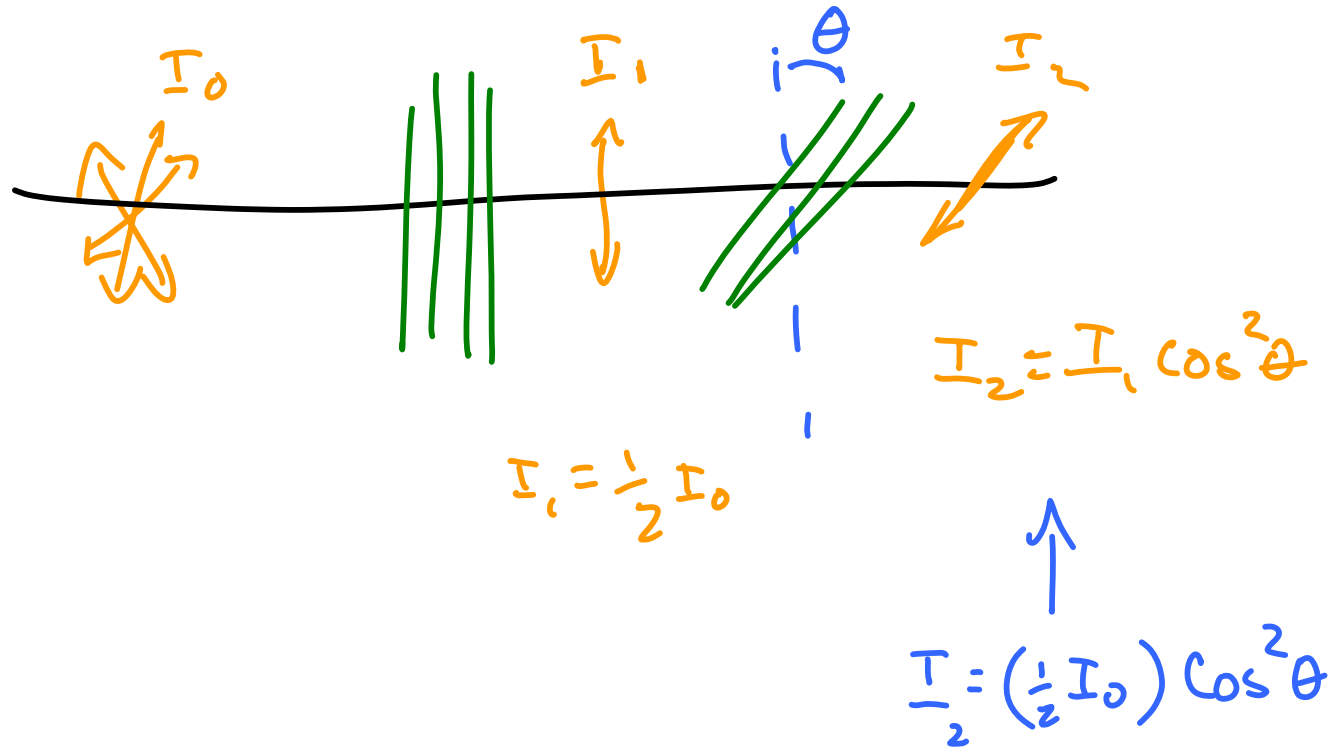


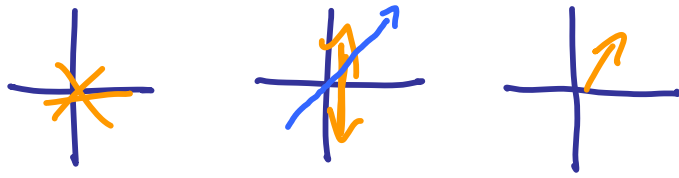
$$I_{\text{new}} = E_0^2 \cos^2 \theta \sim I_{\text{intensity initial}} \cos^2 \theta$$

Intensity



Send initially unpolarized light
 thru 2 linear polarizers at angle θ





EM waves + laws of optics

Vacuum

$$c = \frac{1}{\sqrt{\epsilon_0 \mu_0}}$$

Material

$$v = \frac{1}{\sqrt{\epsilon \mu}}$$

$$n \equiv \text{index of Refraction} = \frac{c}{v}$$

Vacuum

$$\lambda_0 \nu = c$$

Material

$$\lambda \nu = v$$

$$\lambda \nu = \frac{c}{n}$$

$$\lambda_{\text{material}} n = \frac{c}{\nu} = \lambda_0$$

$$\lambda_0 = \lambda_{\text{material}} n$$