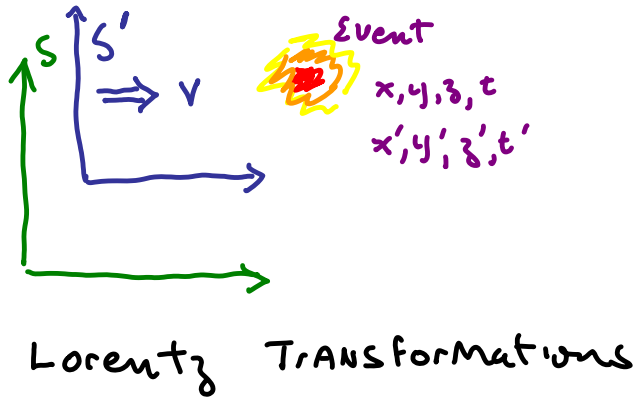


Physics 142 - October 23, 2014

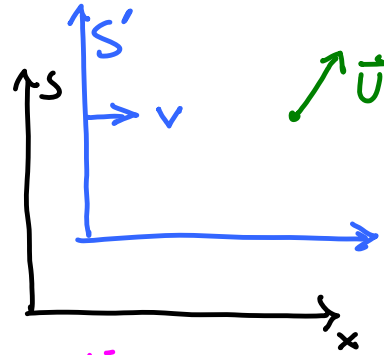
- Have sorted class into project groups
- Most of you got your topic preference or something close
- Will notify you of groups shortly
- You meet, think, plan a bit ... then set up appt w/ me
- Think of the end product ...



$$\left\{ \begin{array}{l} x' = \gamma(x - vt) \\ y' = y \\ z' = z \\ t' = \gamma\left(t - \frac{vx}{c^2}\right) \end{array} \right.$$

$v \rightarrow \text{small} \Rightarrow \gamma = 1$ $\frac{v}{c} \rightarrow 0$ get Galilean Transformations

Velocity Transformations



$$U_x' = \frac{U_x - v}{1 - \frac{v}{c^2} U_x}$$

Along direction
of relative motion
between reference
frames

$$U_y' = \frac{U_y}{\gamma \left(1 - U_x \frac{v}{c^2}\right)}$$

$$U_z' = \frac{U_z}{\gamma \left(1 - U_x \frac{v}{c^2}\right)}$$

Components
transverse
to direction
of relative motion
between
reference
frames

define $\gamma = \frac{dx}{dt}$] - space
] - proper time proper velocity

and relativistic momentum $p = m\gamma$

Momentum Conservation holds $\sum p_i = \sum p_f$

if define "4th component of momentum"

to be $\gamma mc^2 = E$

relativistic energy

Spacetime
TRANSFORMATION

$$x' = \gamma(x - vt)$$

$$y' = y$$

$$z' = z$$

$$t' = \gamma(t - \frac{vx}{c^2})$$

Energy
Momentum
TRANSFORMATION

$$p'_x = \gamma(p_x - v\gamma mc^2)$$

$$p'_y = p_y$$

$$p'_z = p_z$$

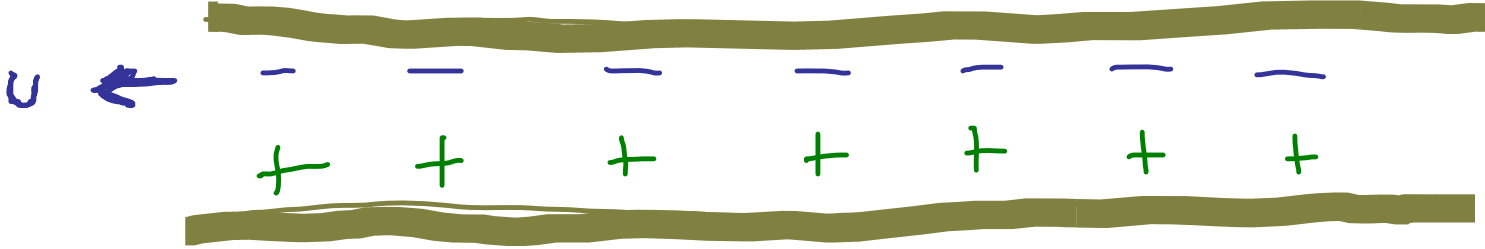
$$E' = \gamma(E - \frac{vp_x}{c^2})$$

$$(\vec{x}, t)$$

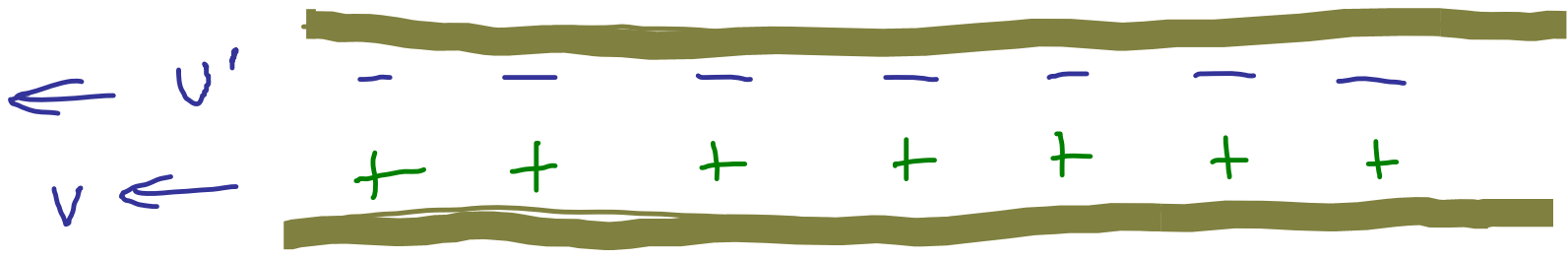
$$(\vec{p}, E)$$

4 vectors

$$\lambda_- = \lambda_+$$



• $\omega = ?$



Magnetism

Magnetic field

$$\equiv \vec{B}$$

MKS unit Tesla

cgs unit Gauss

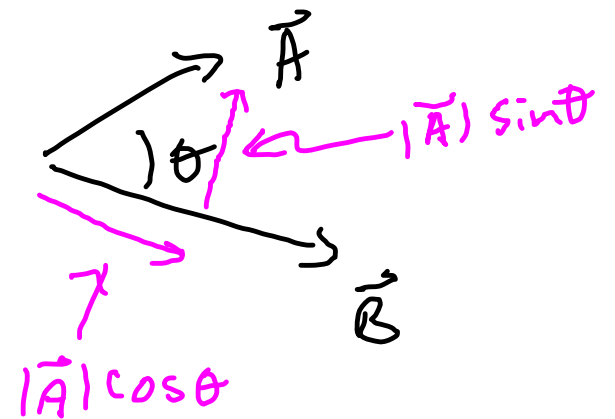
Lorentz Force law

$$\vec{F} = q\vec{E} + q\vec{v} \times \vec{B}$$

Cross product

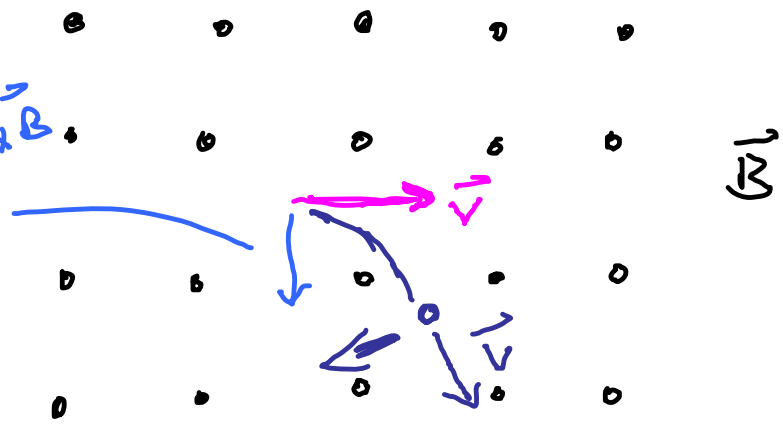
$\vec{A} \times \vec{B} \longrightarrow$ vector

$$|\vec{A} \times \vec{B}| = |\vec{A}| |\vec{B}| \sin \theta$$



$$\vec{A} \times \vec{B} = \begin{vmatrix} \hat{i} & \hat{j} & \hat{k} \\ A_x & A_y & A_z \\ B_x & B_y & B_z \end{vmatrix} = \hat{i} (A_y B_z - A_z B_y) - \hat{j} (A_x B_z - A_z B_x) + \hat{k} (A_x B_y - A_y B_x)$$

$$\vec{F}_L = \vec{v} \times \vec{B}$$

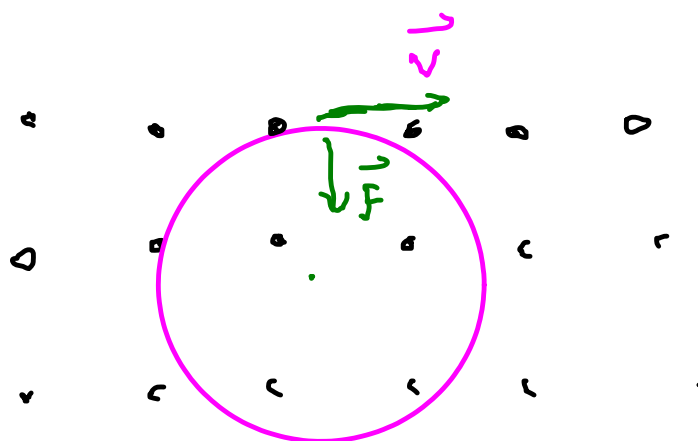


(2)

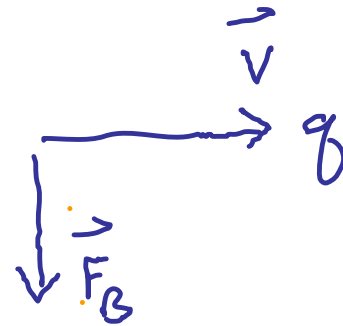
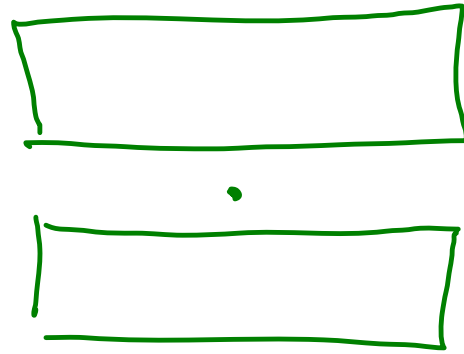
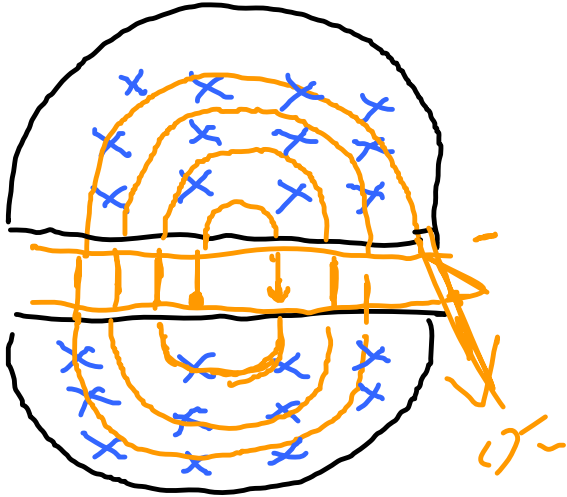
Uniform \vec{B}

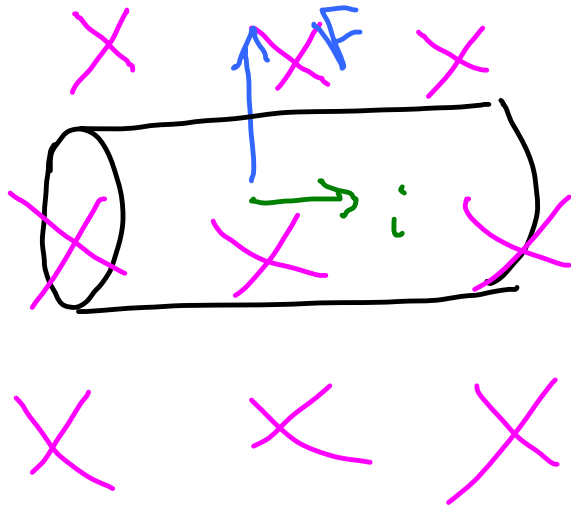
$$F_c = \frac{mv^2}{R} = qvB$$

$$R = \frac{mv}{qB}$$



Cyclotron





$$\vec{F}_{\text{wire}}$$

$$q(\vec{V}_d \times \vec{B}) n A L$$

\uparrow drift velocity \uparrow $\frac{\text{charge}}{\text{Vol}}$

cross sect
 \swarrow length

$$i = nqV_d A$$

$$\vec{F}_{\text{wire}} = L \vec{i} \times \vec{B} \quad \text{or} \quad i \vec{L} \times \vec{B}$$

Electrostatics

Coulomb's law



$$\vec{E} = \frac{kq}{r^2} \hat{r}$$

$$\vec{F} = q \vec{E}$$

A diagram showing a charge distribution with a differential element dq . A vector \vec{r} points from the element to a point, and a vector \vec{r}' points from the element to another point.

$$dE_p = \frac{k dq}{|\vec{r} - \vec{r}'|^2} (\hat{r} - \hat{r}')$$

Magnetostatics

Arrgh ...
out of time