University of Rochester — Physics Colloquium October 24, 2012 Discovery of a new boson

Part I: Experimental analysis: mass measurement Part II: Measurement of properties



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A massless theory

The standard model describes the interactions between matter and forces

- Gauge invariance plays a crucial role ψ(x) → e^{iα}ψ(x)
 - Gauge bosons, conserved "charges"

Forces:	E&M	Weak	Strong
Group	U(1)	SU(2)	SU(3)
Conserved	Q	isospin	color
Mediators	Y	W±, Z	gluons
couple to	charge	fermions	color

$$\mathcal{L}_{SM} = \frac{1}{4} W_{\mu\nu} W^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu} - \frac{1}{4} G^{a}_{\mu\nu} G^{\mu\nu}_{a}$$

kin. en. and self-int. of gauge bosons

$$+\bar{L}\gamma^{\mu}(i\partial_{\mu}-\frac{1}{2}g\tau\cdot W_{\mu}-\frac{1}{g}'YB_{\mu})L+\bar{R}\gamma^{\mu}(i\partial_{\mu}-\frac{1}{2}g'YB_{\mu})R_{\mu}$$

kin. en. and EW interactions of fermions

+g''($\bar{q}\, \gamma^{\mu} T_{a} q) G^{a}_{\mu}$ interactions between quarks and gluons



- Adding a mass term m²W^µW_µ makes £ not gauge-invariant, but the W and Z have mass!
- Need to break SU(2)xU(1) keeping gauge invariance
- Spontaneous symmetry breaking: symmetric L, ground state is not

Electroweak symmetry breaking

Add \u03c6, a new (complex doublet) scalar field with potential:

$$\phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} \qquad V(\phi) = \lambda \left(\phi^{\dagger} \phi - \frac{v^2}{2} \right)^2$$

• Breaks SU(2)xU(1) \rightarrow U(1)

• 4 d.o.f \rightarrow 3 longitudinal polarizations of W⁺, W⁻, Z⁰ + 1 new scalar boson: H

• Lowest energy of vacuum $v/\sqrt{2}$

The scalar's kinetic energy includes a term that becomes:

$$\frac{1}{4}g^2W^{\mu}\phi^{\dagger}W_{\mu}\phi \rightarrow \frac{1}{8}g^2v^2W^{\mu}W_{\mu}=\frac{1}{2}M_{W}^2W^{\mu}W_{\mu}$$

A mass term for the W and Z bosons!

- F. Englert and R. Brout, Phys. Rev. Lett. 13 (1964) 321
- P. Higgs, Phys. Rev. Lett. 13 (1964) 508,
- G. Guralnik, C. R. Hagen, and T. Kibble, Phys. Rev. Lett. 13 (1964) 585



- Interactions with fermions:
 - Fermion masses are generated in a gauge invariant way by arbitrary coupling, proportional to mass:

$$\phi \xrightarrow{f} f$$

$$y f \phi f \rightarrow \underbrace{\frac{yv}{\sqrt{2}}}_{m_f} f f + \underbrace{\frac{y}{\sqrt{2}}}_{\text{interaction}} f h f$$

Predictions 2010 J.J. Sakurai Prize

"For elucidation of the properties of spontaneous symmetry breaking in four-dimensional relativistic gauge theory and of the mechanism for the consistent generation of vector boson masses"

Peter W. Higgs University of Edinburgh

Robert Brout Universite Libre de Bruxelles



Gerald S. Guralnik Brown University

Carl R. Hagen University of Rochester

François Englert Universite Libre de Bruxelles





T. W. B. Kibble Imperial College

- A new scalar boson s=0, P=+1, $m_{H}=\sqrt{2\lambda}v$
 - Discover resonance, measure its mass
 - Measure its properties (spin, parity)
- Couplings to bosons

2010 J.J. Sakurai Prize

"For elucidation of the

properties of spontaneous

symmetry breaking in four-

dimensional relativistic gauge

theory and of the mechanism

for the consistent generation

of vector boson masses"

- Test relative strength between γ, W, Z
- Couplings to fermions
 - Perhaps something else gives rise to the fermion masses?
- Self coupling
 - Test strength (will need lots of data!)

The Large Hadron Collider







p-p collider at √s=7, 8 TeV
 26 km long, 100m underground
 Delivered luminosity: 18 fb⁻¹
 Peak luminosity: 7·10³³ cm²s⁻¹
 Crossing rate: 40 MHz
 Rare processes: 1 in 10¹³





Relative beam sizes around IP1 (Atlas) in collision

The CMS detector





The CMS solenoid magnet:

Magnetic length	12.5 m
Free bore diameter	6 m
Central B Field	4 T
Weight	12,000 ton
Temperature	4.2°K
Nominal current	20 kA
Radial Pressure	64 atm
Stored energy	2.7 GJ
USS Ronald Reagan (8	8,000 tons) at 20 mph





Particle detection in CMS



 $https://cms-docdb.cern.ch/cgi-bin/PublicEPPOGDocDB/RetrieveFile?docid=97 \& version=1 \& filename=CMS_Slice_elab.swf$

UR contributions to CMS

- Hadronic calorimeter: design, construction, commissioning
 - 70,000 plastic scintillator tiles
- Silicon detector: prototyped, tested, and commissioned Si modules
 - 200 square meters of Si (100 kg)
- Objects: tracks, µ, jets, b-jets
 Physics: W, Z, top, searches, H











H production and decay



HO WW, ZZ fusion

q

g

The scalar can be produced via different interactions (protons at 4 TeV mostly contain gluons) Production cross section σ depends on the unknown H mass

H production and decay





q

The scalar then decays in one of several final states: the fraction of each decay also depends on on the unknown H mass All channels are needed to establish the nature of the new particle $M_{H} = 125 \text{ GeV}$: all decays possible!

Search for $H \rightarrow \gamma \gamma$



From this:



- Only a small fraction of jets can mimic a photon – but there are a lot of jets!
- Channel with tiny decay width, but small backgrounds
- Scintillator Electromagnetic calorimeter designed to achieve:



• Use shape info to separate from $\pi \rightarrow \gamma \gamma$



Primary Y

Diphoton analysis



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Diphoton analysis

- Select events with 2 photons:
 - Use MVA trained to reject fakes using observed showershape differences, isolation
 - Select pair with highest Σp_{T}
 - $p_T^{\gamma_1} > m_{\gamma_1}/3$; $p_T^{\gamma_2} > m_{\gamma_1}/4$
 - |η|<2.5</p>
- Use MVA to separate H signal from backgrounds
 - Inputs: photon p_T , η , and MVA output, $cos\Delta\phi_{\gamma\gamma}$, and per-event mass resolution
- Include VBF channel
 - 2 isolated γ + 2 forward jets
 - Large s/b, but small s
- Cross checks:
 - Mass fits with sidebands
 - Simple cut-based analysis



Diphoton results



$H \rightarrow \gamma \gamma$ candidate event



$\mathsf{H} \to \mathsf{Z}\mathsf{Z}^* \to \ell\ell\ell\ell$

Golden channel:

- Very good mass resolution
- Low (real) backgrounds
- Need high efficiency: decay width ~ 0.06²
- Very small statistics
- Expect 164±11, observe 172 events in [70-800] GeV





We can use kinematics^y

MELA discriminant

- Exploit decay of scalar X into two heavy Z bosons that then decay to two charged leptons
- Significant gain in S/B: most sensitive channel
- MELA is mostly insensitive to the spin of the H: relies on character of backgrounds
- MELA>0.5 consistent with S+B





Candidate event $H \rightarrow ZZ^* \rightarrow \mu\mu\mu\mu$



Candidate event $H \rightarrow ZZ^* \rightarrow ee\mu\mu$



Combined significance



CMS expected: 4.7σ **CMS** observed: 5.0σ

- 1 in 3.5.10⁶ chance of a background fluctuation
- $m_{H} = 125.3 \pm 0.4$ (stat.) ± 0.5 (sys.) GeV
- > ATLAS expected: 4.6σ ATLAS observed: 5.0σ
 - $m_{H} = 126.0 \pm 0.4$ (stat.) ± 0.4 (sys.) GeV



Source: The Economist

Conclusions

- Observation in CMS, and independently in ATLAS, of a new boson with a mass of roughly 125 GeV decaying to vector bosons
- It is certainly looking and walking like the SM scalar boson. Does it also quack like the SM Higgs boson?
- Some questions:
 - Are the relative signal strengths and couplings consistent? Maybe!
 - We know it's a boson, we also know it is not spin 1. Is it spin 0? Maybe!
 - If it is spin 0, is it a scalar or a pseudoscalar? Maybe!
 - Does it couple to fermions? Maybe!
 - Is the width accounted for in the accessible channels? Maybe!

Lots of work still to do!

Extra slides

For more information:

http://cms.web.cern.ch/news/observation-new-particle-mass-125-gev http://www.atlas.ch/news/2012/latest-results-from-higgs-search.html



Higgs Decays

Decay Mode	Branching Fraction	Useful Branching fraction	Background Level
Bottom quarks	60%	30%	Tens of thousands:1
WW*	15%	~2%	Few:1
ZZ*	4%	0.014%	Comparable
gluons	10%	10%	Millions:1
taus	8%	6%	A long story
Charm quarks	6%	3%	Tens of thousands:1
Two photons	0.2%	0.2%	Few:1

For a ~ 125 GeV Higgs

The quantity of signal is but one element in designing an analysis. The level of background is at least as important. While I will only barely touch on it, so is triggerability: you cannot analyze an event that you didn't record.







Ratio of WW and ZZ couplings: Both dominated by gluon fusion production

Ratio of signal strengths is therefore dominantly the ratio of couplings to W/Z Separate fit to WW and ZZ with

 $M_{H} = 125.3 \pm 0.6 \text{ GeV}$

