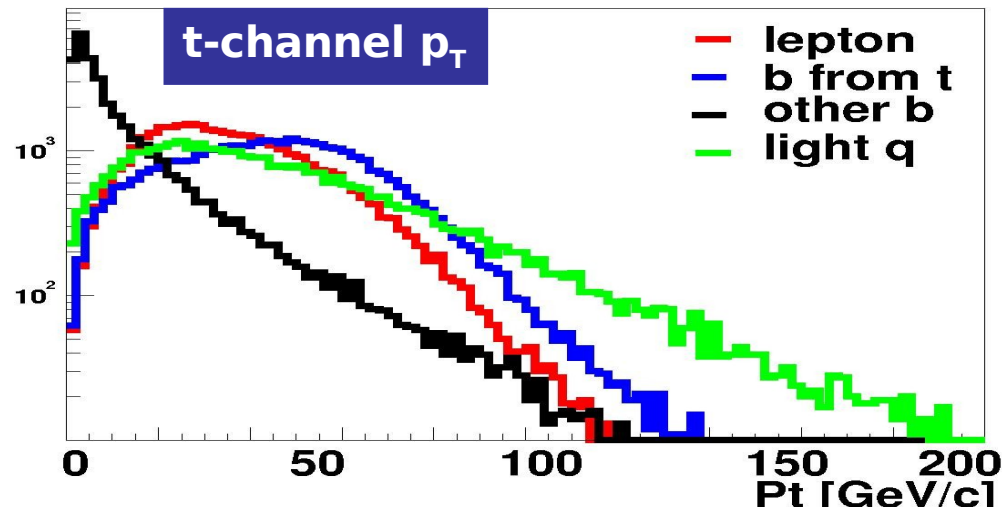
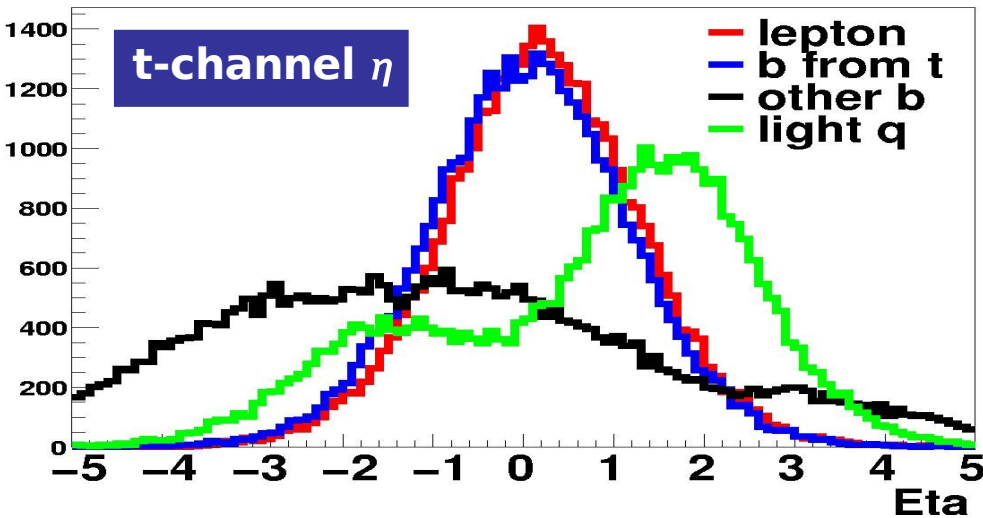
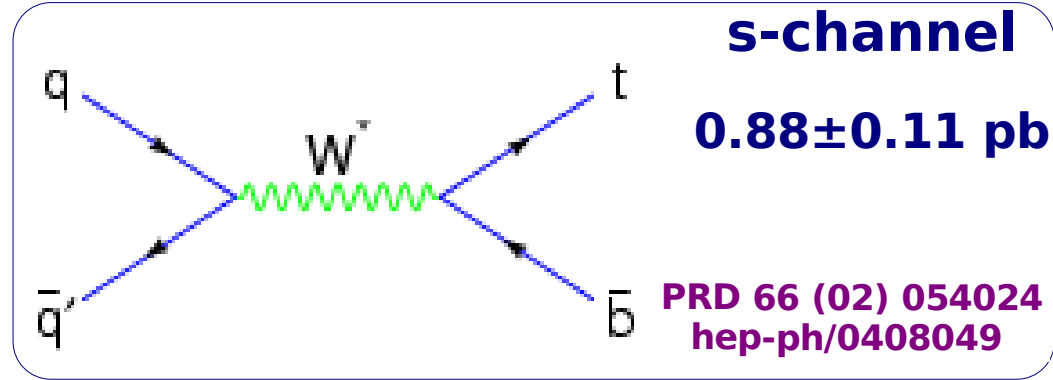
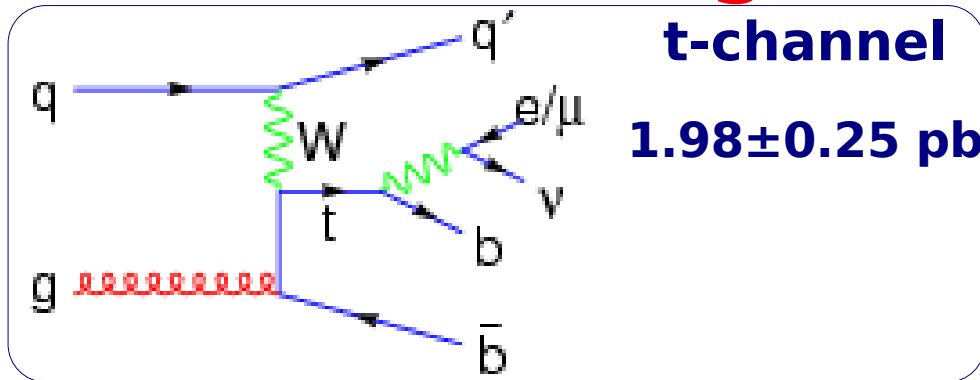


Rencontres de Moriond
Electroweak Interactions and Unified Theories
La Thuile, March 12, 2007

Evidence for single top at DØ

- ▶ Electroweak production of top quarks
- ▶ Event selection and background estimation
- ▶ Multivariate methods
 - Decision Trees, Matrix Elements, Bayesian NN
- ▶ Cross checks. Expected sensitivity
- ▶ Cross sections and significance
- ▶ First direct measurement of $|V_{tb}|$
- ▶ Combination
- ▶ Summary

Signal selection



Event selection designed to be as loose as possible:

► Only one tight (no loose) lepton:

● e: $p_T > 15 \text{ GeV}$ and $|\eta^{\text{det}}| < 1.1$

● μ : $p_T > 18 \text{ GeV}$ and $|\eta^{\text{det}}| < 2.0$

► MET > 15 GeV

► 2-4 jets: $p_T > 15 \text{ GeV}$ and $|\eta^{\text{det}}| < 3.4$

● Leading jet: $p_T > 25 \text{ GeV}$; $|\eta^{\text{det}}| < 2.5$

● Second leading jet: $p_T > 20 \text{ GeV}$

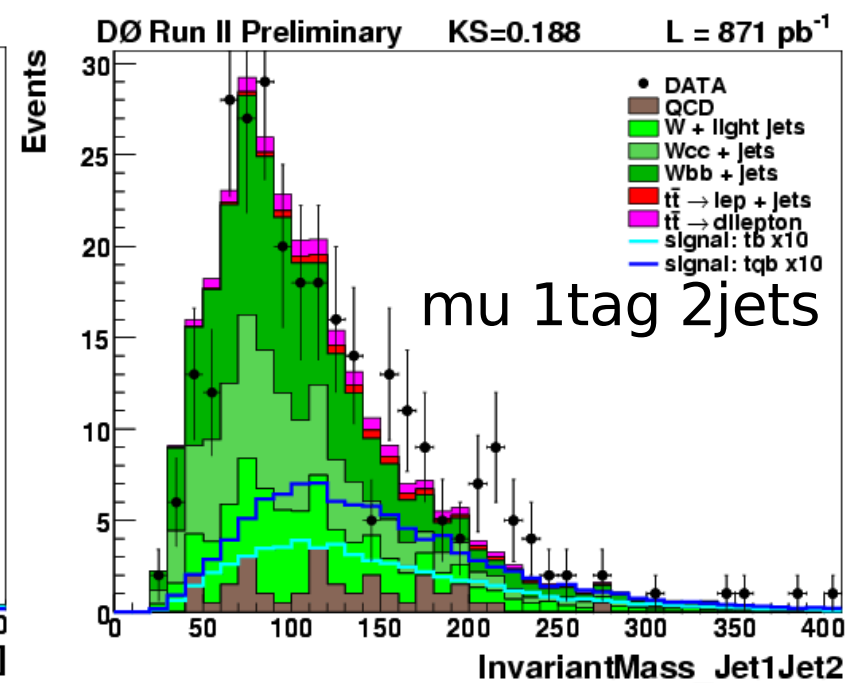
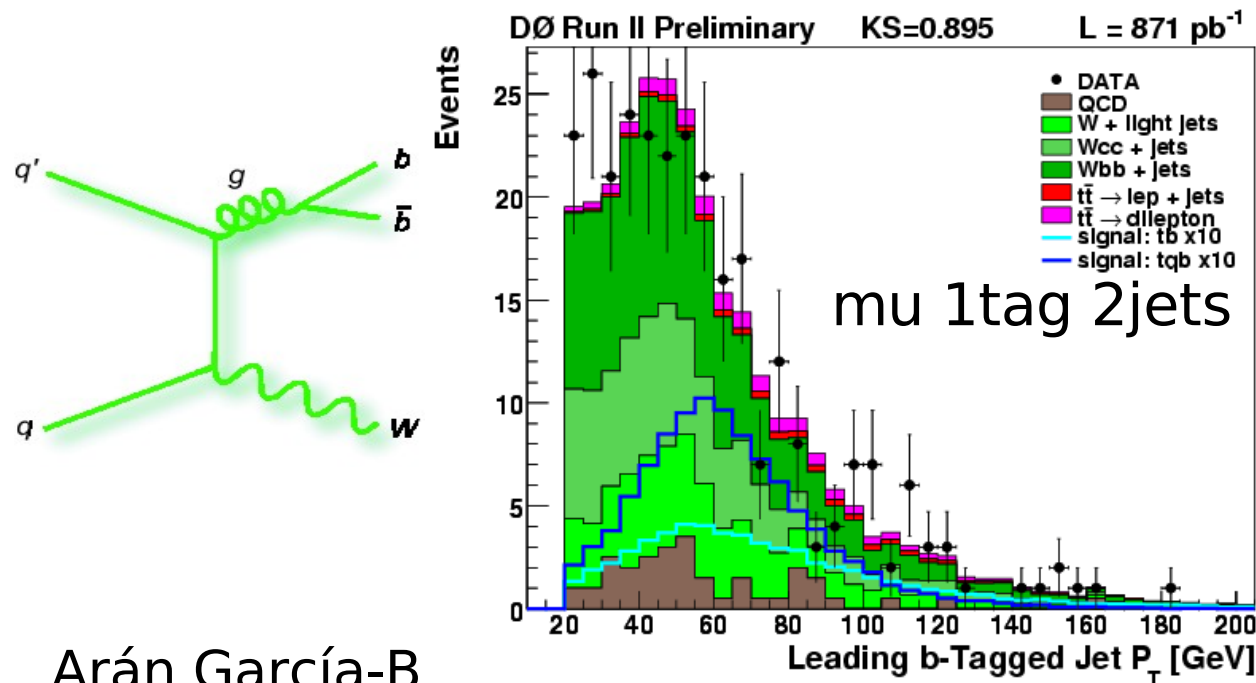
► One or two b-tagged jets

Acceptance: $tb = (3.2 \pm 0.4)\%$

$tqb = (2.1 \pm 0.3)\%$

Signal and Background modeling

- ▶ Signal is modeled with CompHEP (effective NLO) + Pythia
- ▶ W +jets and $t\bar{t}$ shapes from Alpgen with MLM matching + Pythia
 - Jet-parton matching avoids double counting → better model
- ▶ $t\bar{t}$ normalized to NNLO $\sigma = 6.8 \pm 1.2$ pb (Kidonakis, PRD 68, 114014)
- ▶ QCD from our selected data with non-isolated lepton
- ▶ Normalize W +jets and QCD to data before tagging
- ▶ Determine W_{bb} and W_{cc} factor in W +jets from zero-tagged data
 - Constant factor describes heavy flavor kinematics well
 - Largest single uncertainty: 30% relative error on $W_{bb}+W_{cc}$ composition



Yields and systematic uncertainties

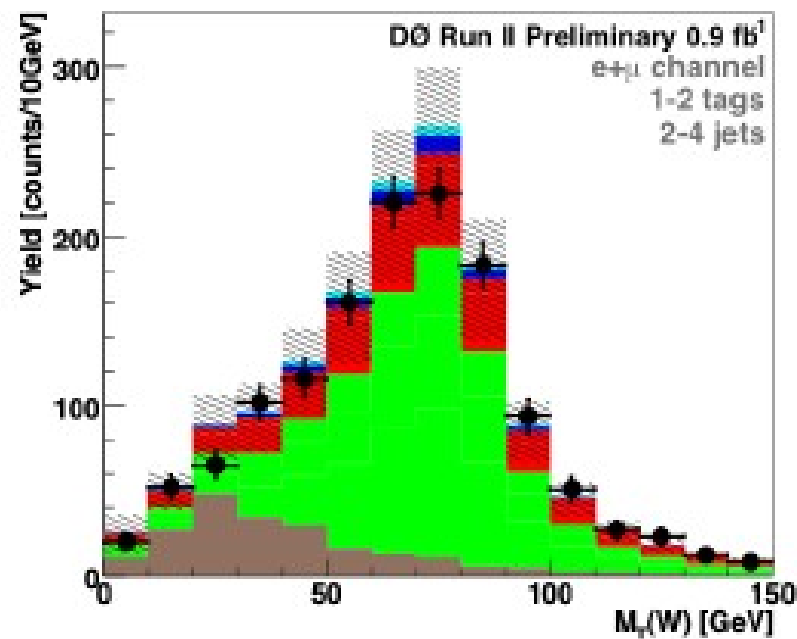
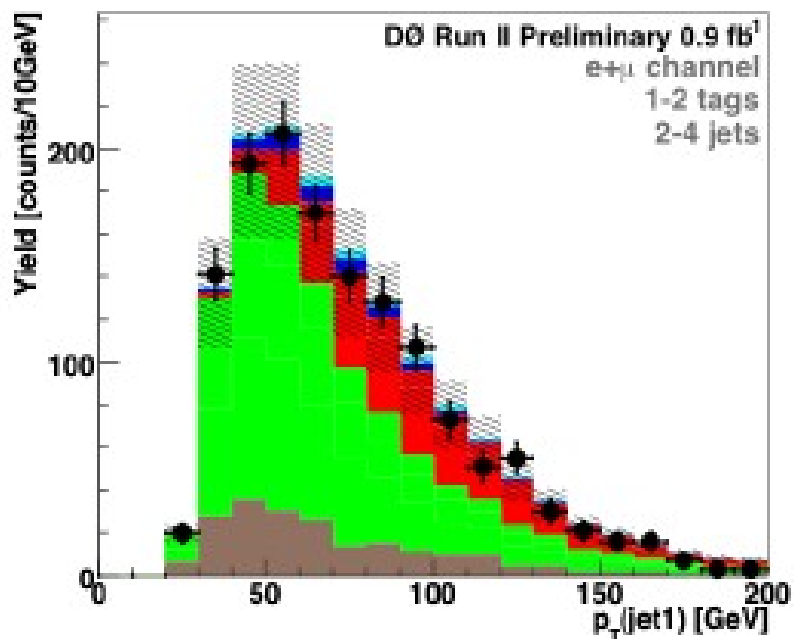
- ▶ Expect some 62 signal and 1400 background events
- ▶ Uncertainties are assigned per background, jet multiplicity, lepton channel, and number of tags
- ▶ Jet energy scale and b-tag eff. affect the shapes of distributions
- ▶ Statistics dominated analysis: systematics contribution to the uncertainty is small

Source	Event Yields in 0.9 fb ⁻¹ Data		
	Electron+muon, 1tag+2tags combined		
	2 jets	3 jets	4 jets
<i>tb</i>	16 ± 3	8 ± 2	2 ± 1
<i>tqb</i>	20 ± 4	12 ± 3	4 ± 1
<i>t\bar{t} → ll</i>	39 ± 9	32 ± 7	11 ± 3
<i>t\bar{t} → l+jets</i>	20 ± 5	103 ± 25	143 ± 33
<i>W+b\bar{b}</i>	261 ± 55	120 ± 24	35 ± 7
<i>W+c\bar{c}</i>	151 ± 31	85 ± 17	23 ± 5
<i>W+jj</i>	119 ± 25	43 ± 9	12 ± 2
Multijets	95 ± 19	77 ± 15	29 ± 6
Total background	686 ± 41	460 ± 39	253 ± 38
Data	697	455	246

Relative systematic uncertainties

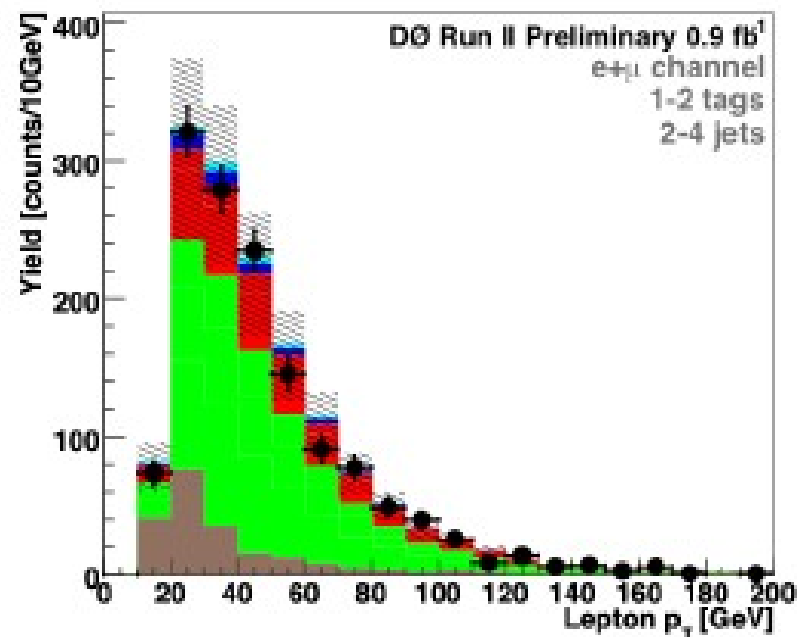
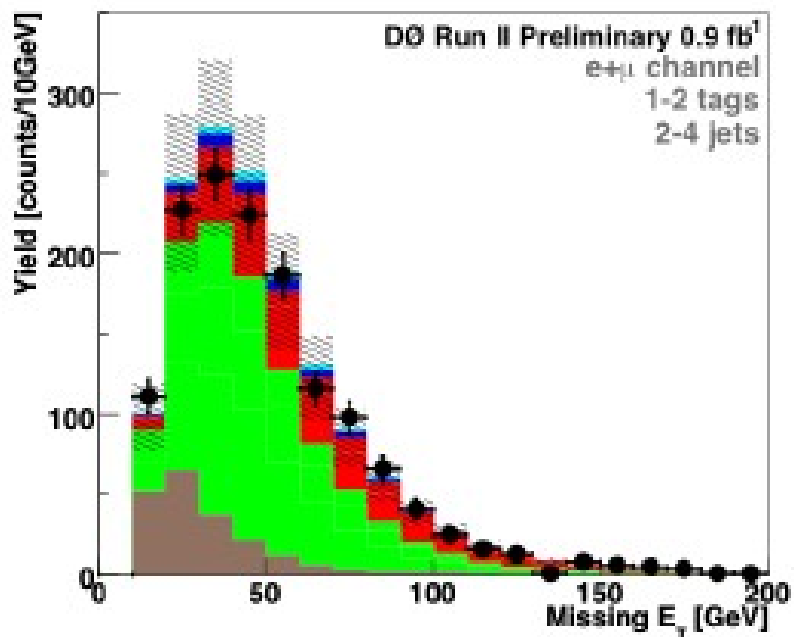
Component	Size
W+jets&QCD normalization	18 – 28%
top pair normalization	18%
Tag rate functions (shape)	2 – 16%
Jet energy scale (shape)	1 – 20%
Luminosity	6%
Trigger modeling	3 – 6%
Lepton ID	2 – 7%
Jet modeling	2 – 7%
Other small components	few%

Check distributions



Key for Plots

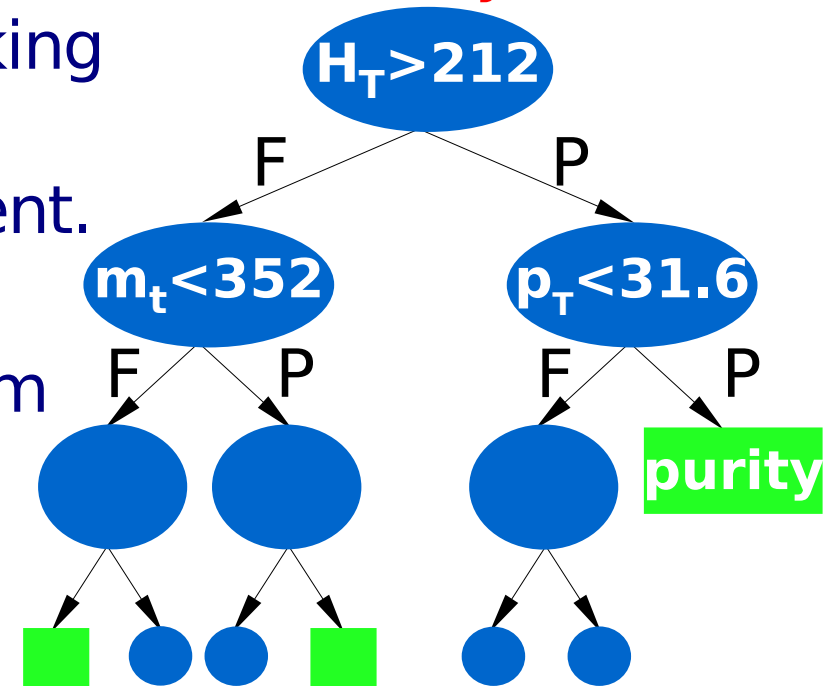
- Data
- tb
- tqb
- tt
- W + jets
- Multijets
- $\pm 1\sigma$ uncertainty on background



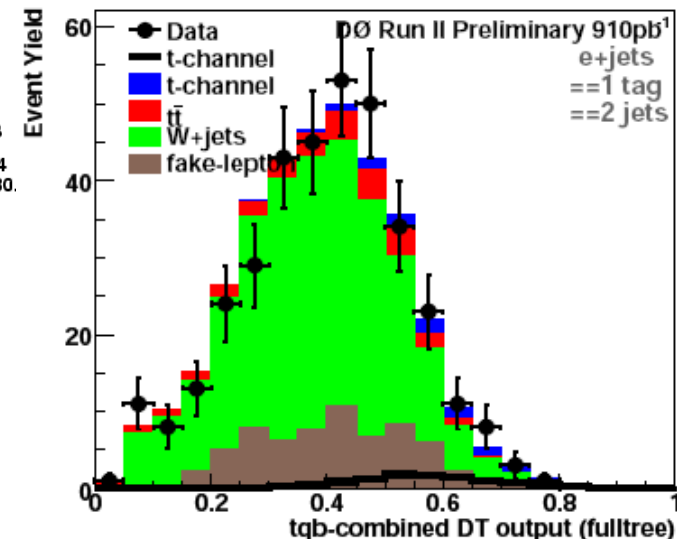
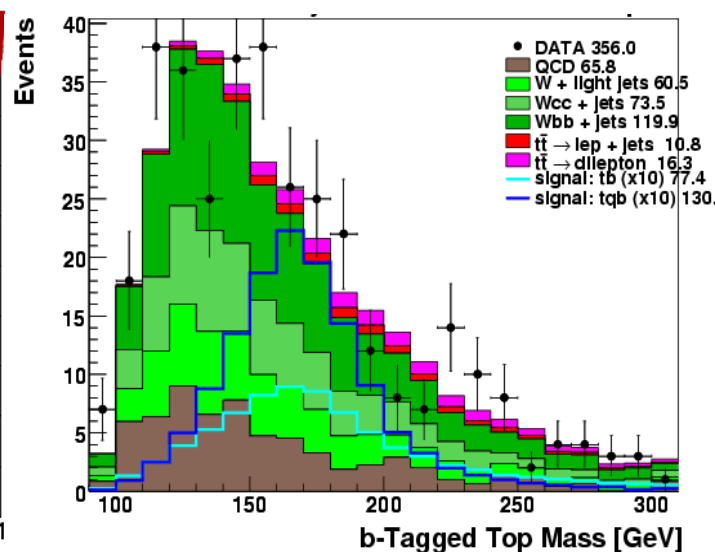
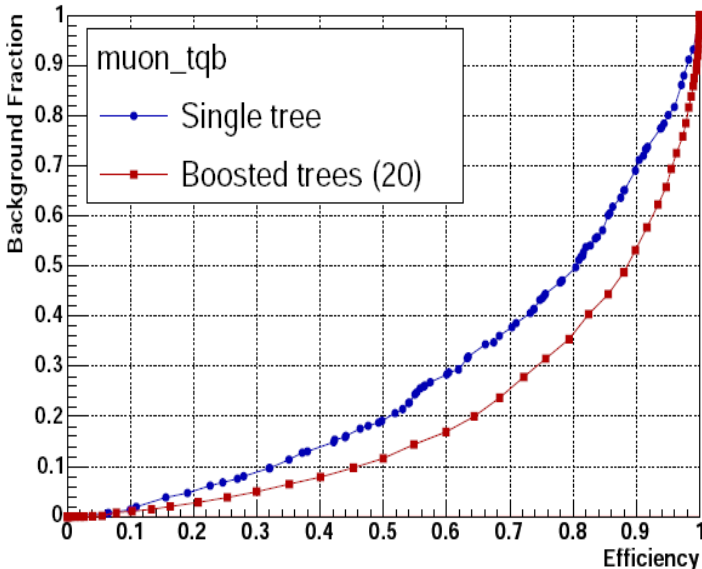
Boosted Decision Trees

Idea: recover events that fail criteria in cut-based analysis

- ▶ Find best simple cut in each node looking at 49 physics motivated variables
- ▶ Output: **purity** $N_S/(N_S+N_B)$ for each event. Signal is $tb+tbq$.
- ▶ Boosting: retrain 20 times to learn from misclassified events
- ▶ Most discriminant: $M(\text{alljets})$, $M(W, b_1)$, $\cos(b, \ell)_{\text{top}}$, $Q(\ell)_\eta(\text{light-jet})$



Background fraction vs. efficiency



Matrix Elements method

- ▶ Use all available kinematic information from a **fully differential cross-section calculation** → See T. Gadfort talk in YSF session
- ▶ Calculate an event probability for signal and background hypothesis

$$P(\vec{x}) = \frac{1}{\sigma} \int f(q_1; Q) dq_1 f(q_2; Q) dq_2 \times |M(\vec{y})|^2 \phi(\vec{y}) dy \times W(\vec{x}, \vec{y})$$

Parton distribution functions CTEQ6

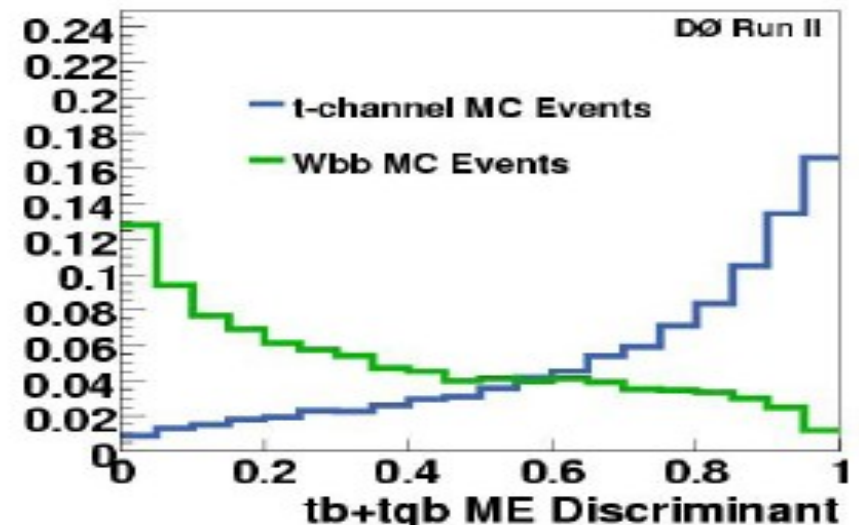
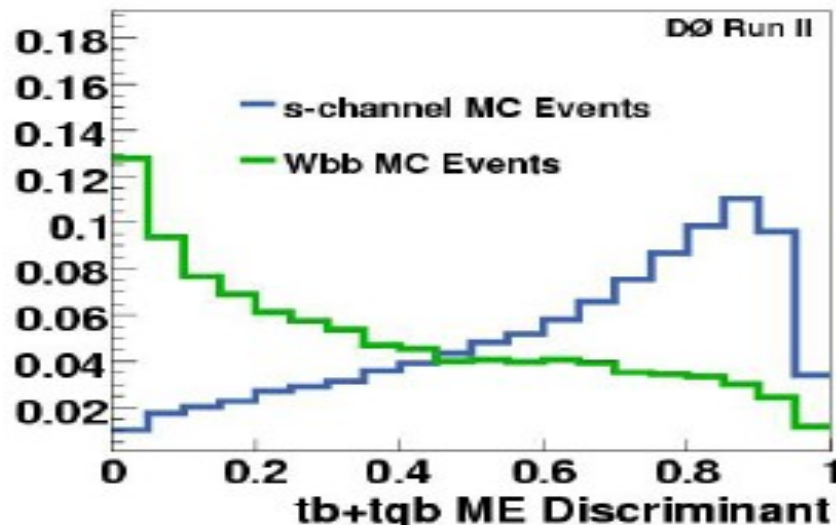
Differential cross section (LO ME from Madgraph)

Transfer Function: maps parton level (y) to reconstructed variables (x)

- ▶ Integrate over 4 independent variables: assume angles well measured, known masses, momentum and energy conservation

$$D_s(\vec{x}) = P(S|\vec{x}) = \frac{P_{Signal}(\vec{x})}{P_{Signal}(\vec{x}) + P_{Background}(\vec{x})}$$

- Analysis only uses 2&3 jet bins
- W_{bg} , W_{cg} , W_{gg} and W_{bbg} in $P_{Background}$



Bayesian Neural Networks

A different sort of NN (<http://www.cs.toronto.edu/radford/fbm.software.html>):

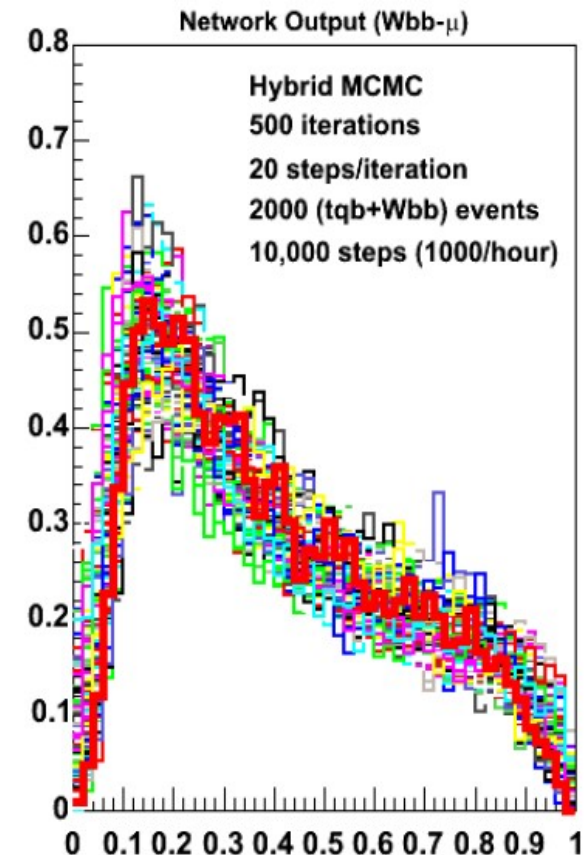
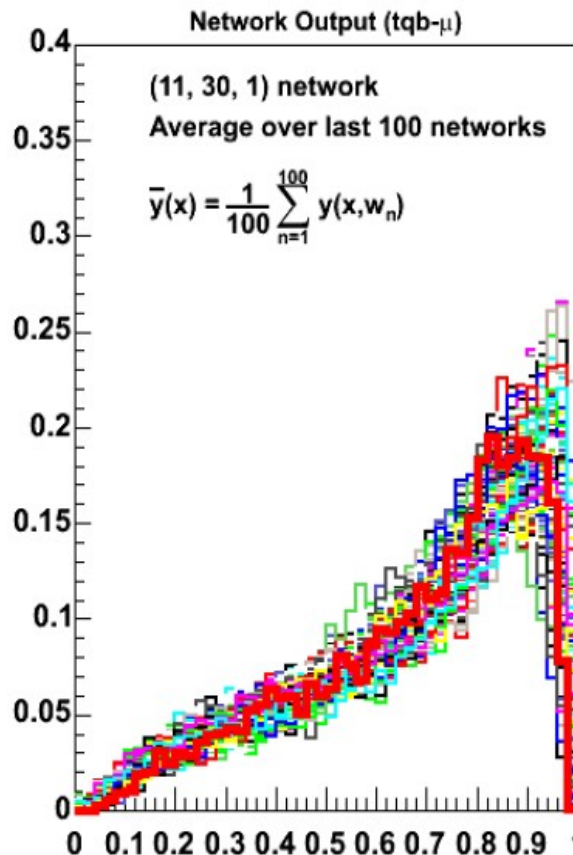
- ▶ Instead of choosing one set of weights, find posterior probability density over all possible weights
- ▶ Averages over many networks weighted by the probability of each network given the training data
- ▶ Use 24 variables (subset of the DT variables) and train against sum of backgrounds

Advantages:

- Less prone to overfitting, because of Bayesian averaging
- Network structure less important: can use large networks!
- Optimized performance

Disadvantages:

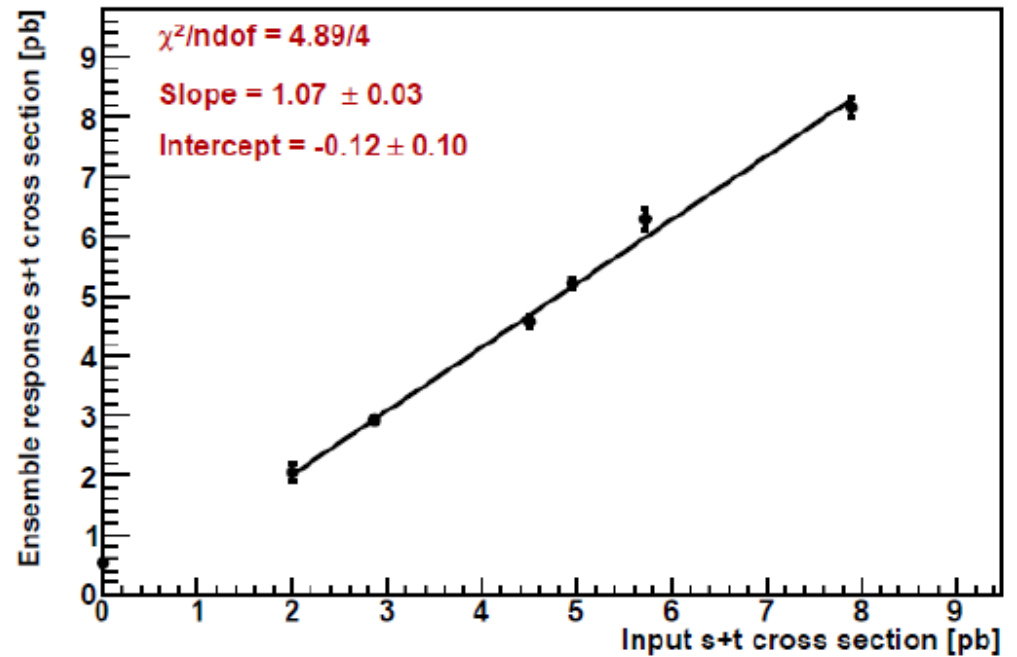
- Computationally demanding!



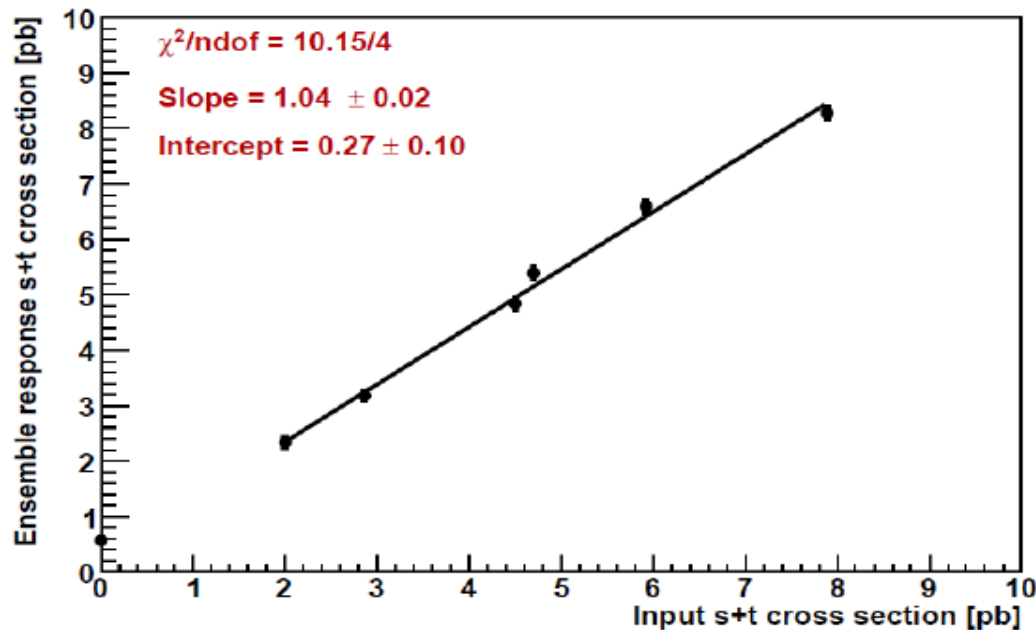
Linear response

- ▶ Use ensemble testing to show analysis calibration
- ▶ Use pool of MC events to draw events with bkgd. yields fluctuated according to uncertainties, reproducing the correlations between components introduced in the normalization to data
- ▶ Randomly sample a Poisson distribution to simulate statistical fluctuations
- ▶ Linear response, negligible bias

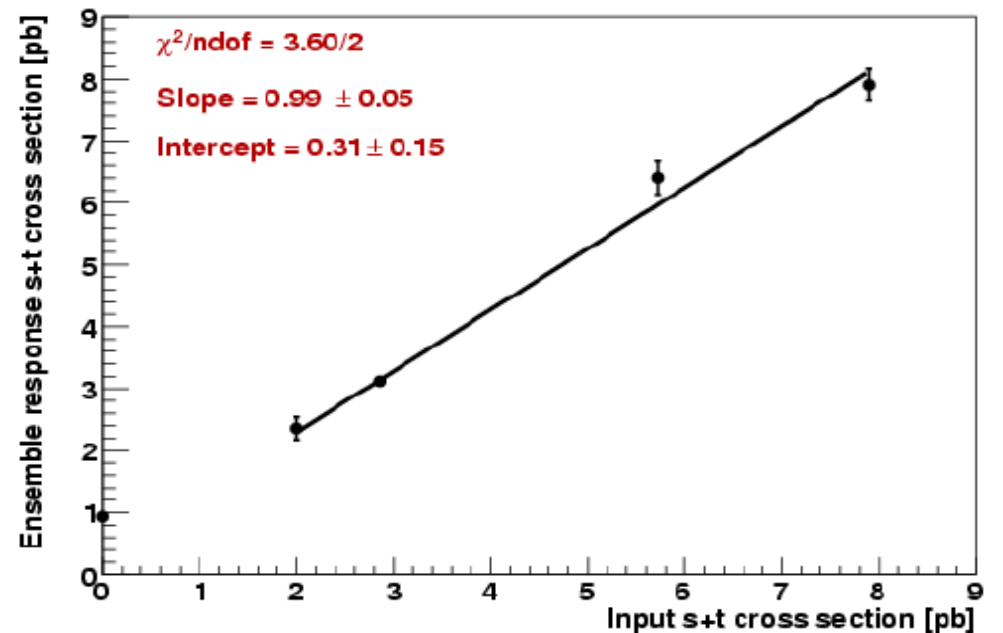
DT analysis



ME analysis



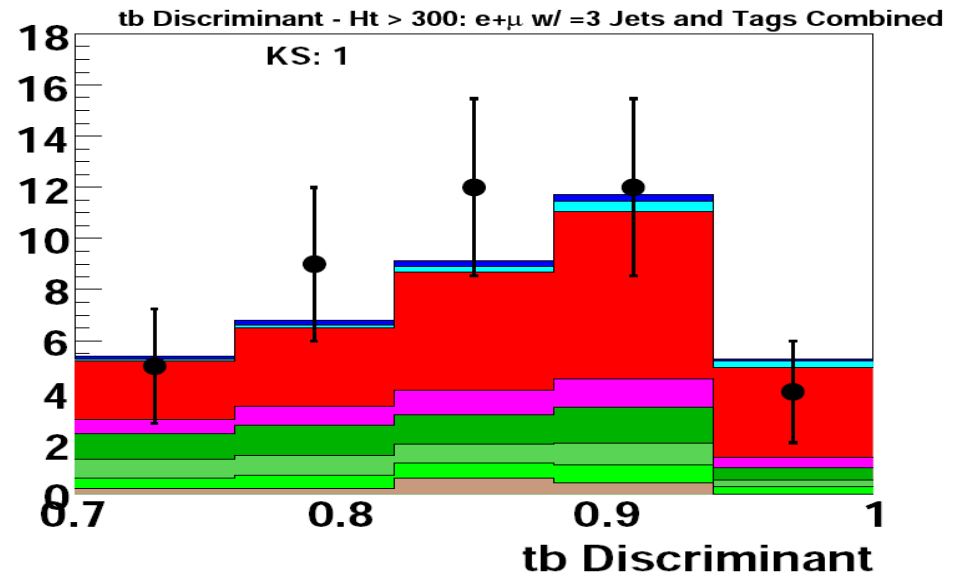
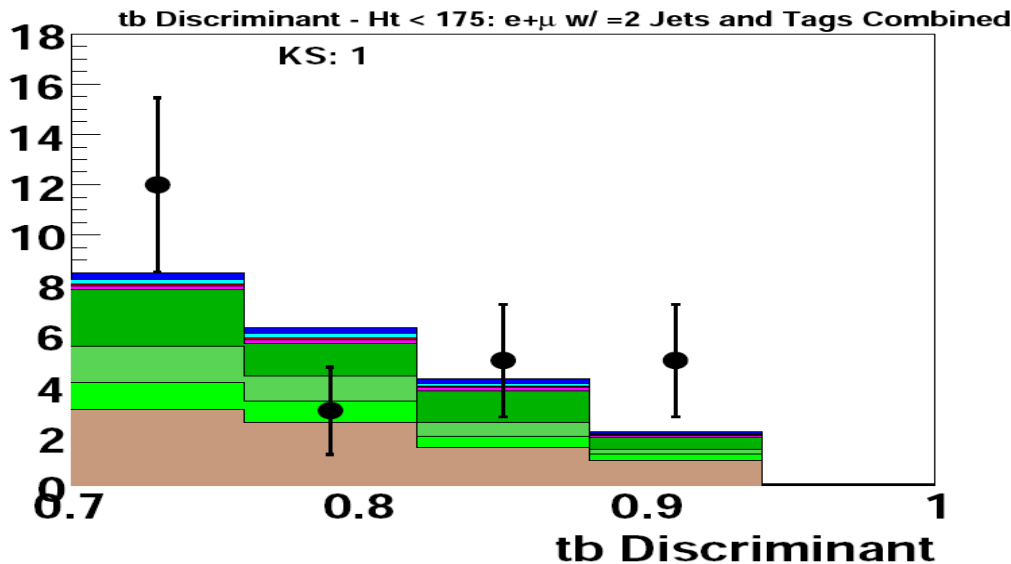
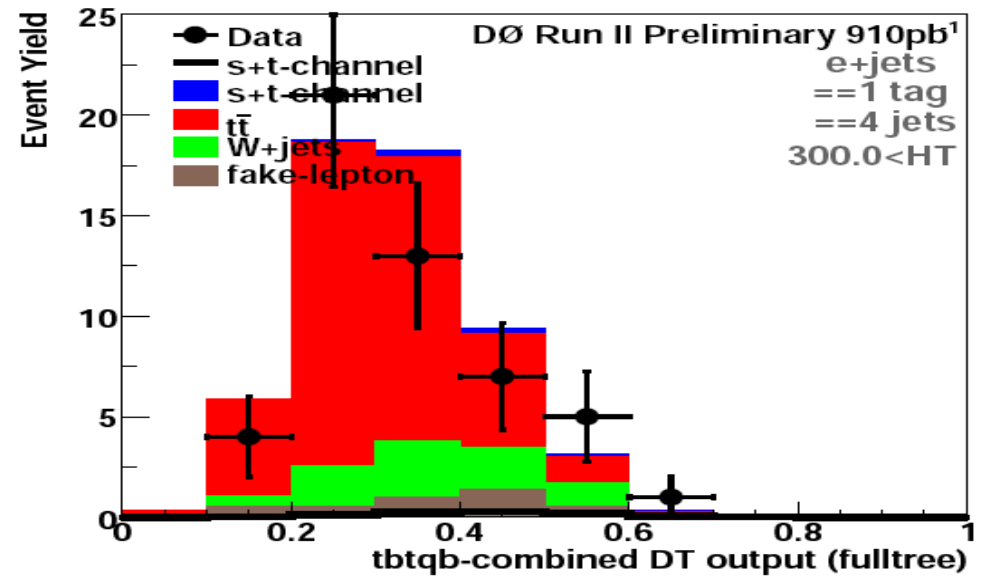
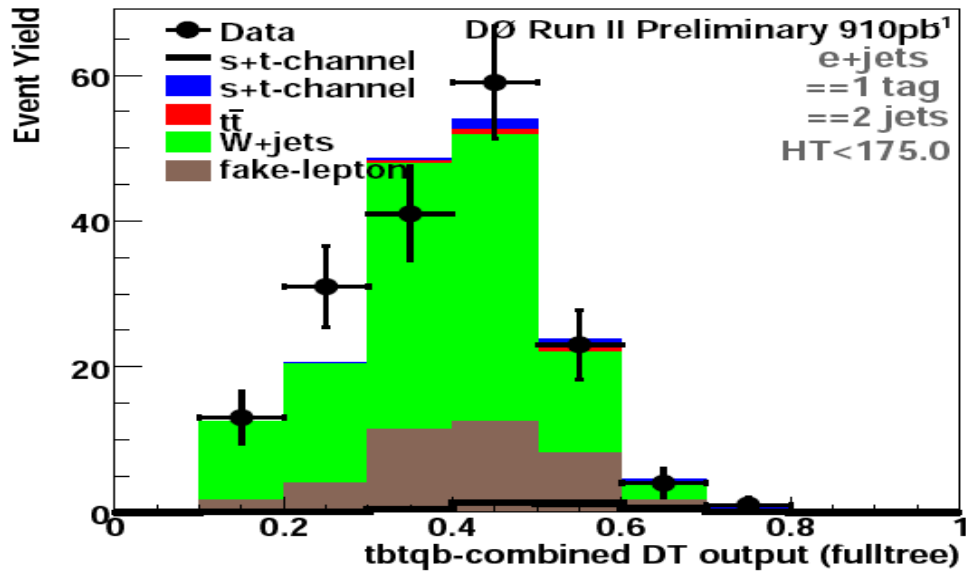
BNN analysis



Cross check samples

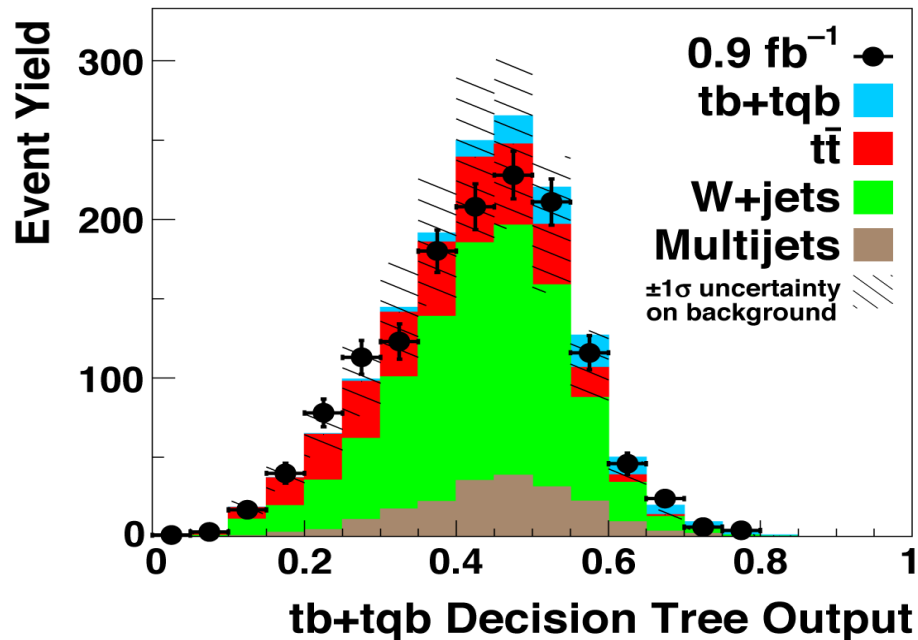
► Check description of the two main backgrounds

- “Soft” W+jets: 2 jets and $H_T(\text{lepton}, \text{MET}, \text{alljets}) < 175 \text{ GeV}$
- “Hard” W+jets: 3,4 jets and $H_T(\text{lepton}, \text{MET}, \text{alljets}) > 300 \text{ GeV}$

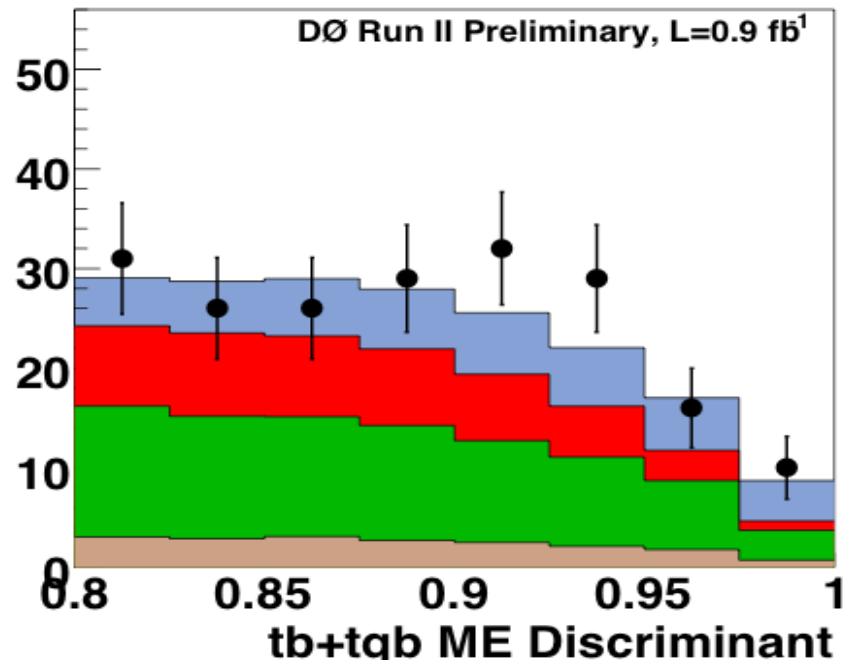
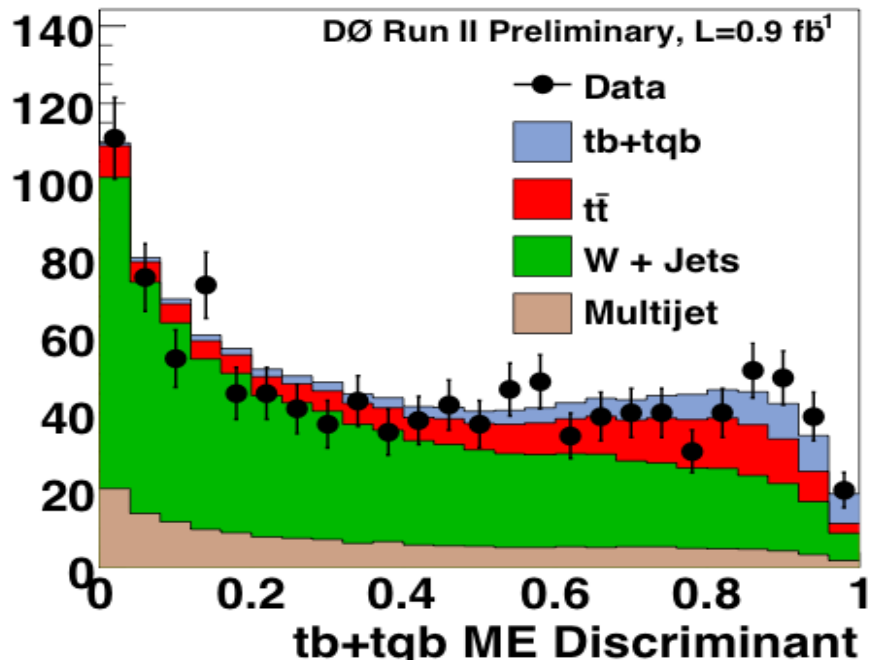
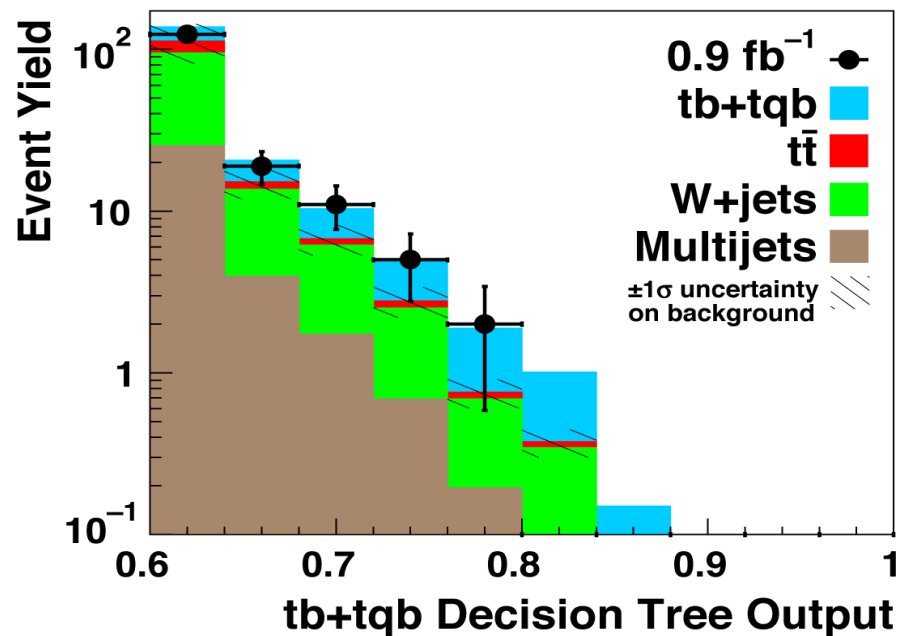


(summed) Discriminants output

DØ Run II *preliminary*



DØ Run II *preliminary*

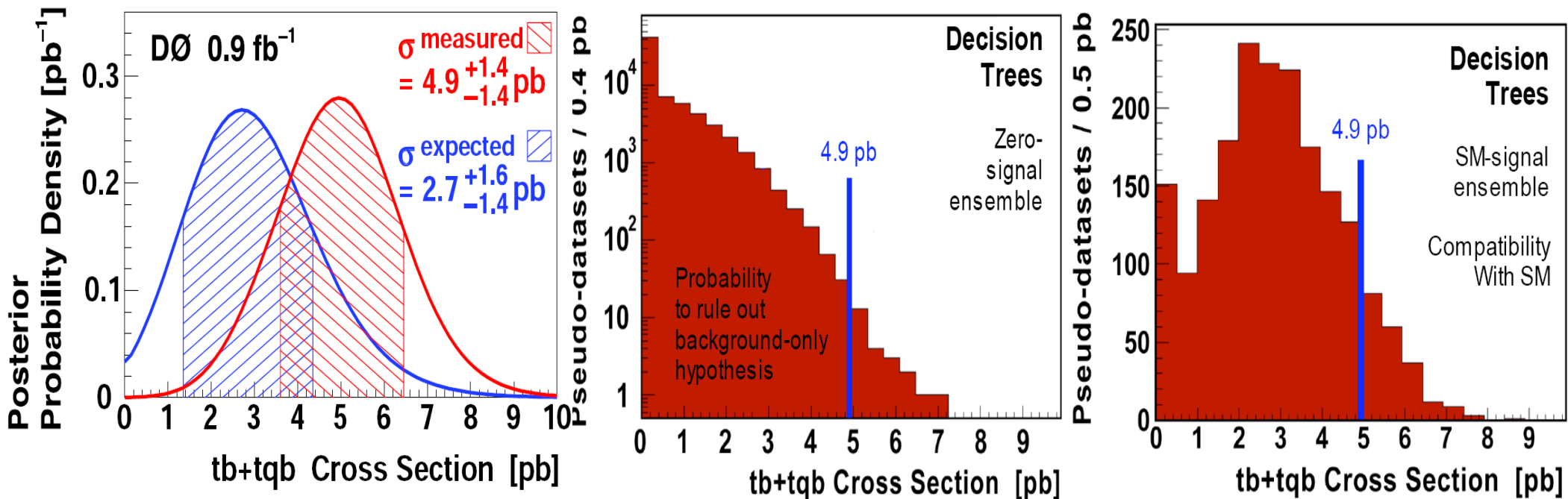


Expected and observed results

	Decision Trees		Matrix Elements		Bayesian NN	
	Expected	Observed	Expected	Observed	Expected	Observed
$\sigma(\text{tb}+\text{qb})$ [pb]	$2.7^{+1.6}_{-1.4}$	4.9 ± 1.4	$3.0^{+1.8}_{-1.5}$	$4.6^{+1.8}_{-1.5}$	$3.2^{+2.0}_{-1.8}$	5.0 ± 1.9
significance	2.1σ	3.4σ	1.8σ	2.9σ	1.3σ	2.4σ

DT measures 3.4σ excess! Evidence for single top production!

► Results are compatible with the SM at ~ 1 std. dev.



First direct measurement of $|V_{tb}|$

▶ Once we have a cross section measurement, we can make the first direct measurement of $|V_{tb}|$

Additional theoretical errors are needed

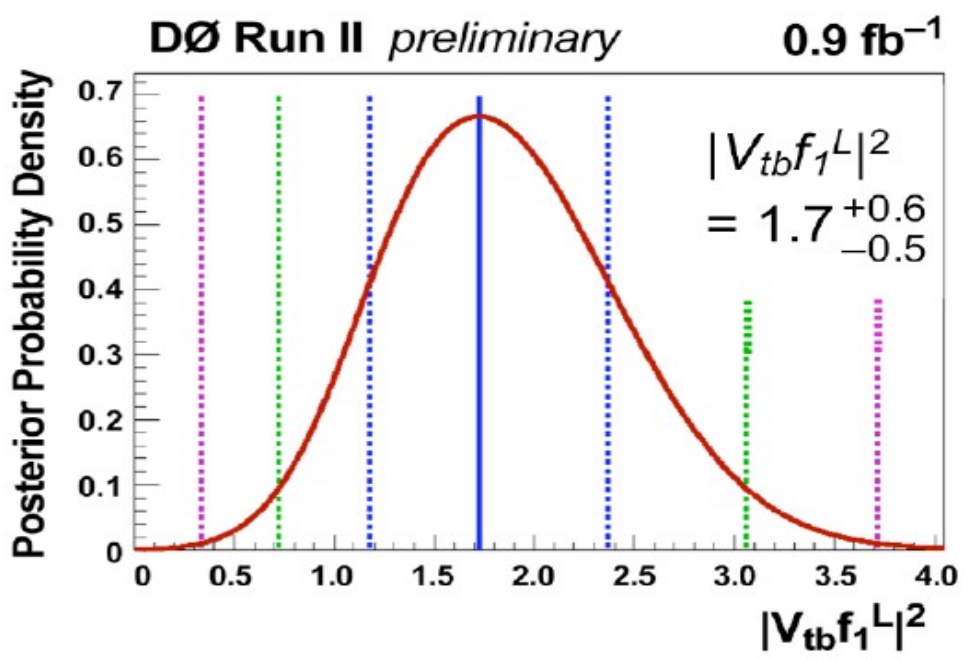
▶ Calculate posterior in $|V_{tb}|^2$: $\sigma \propto |V_{tb}|^2$

▶ Assume:

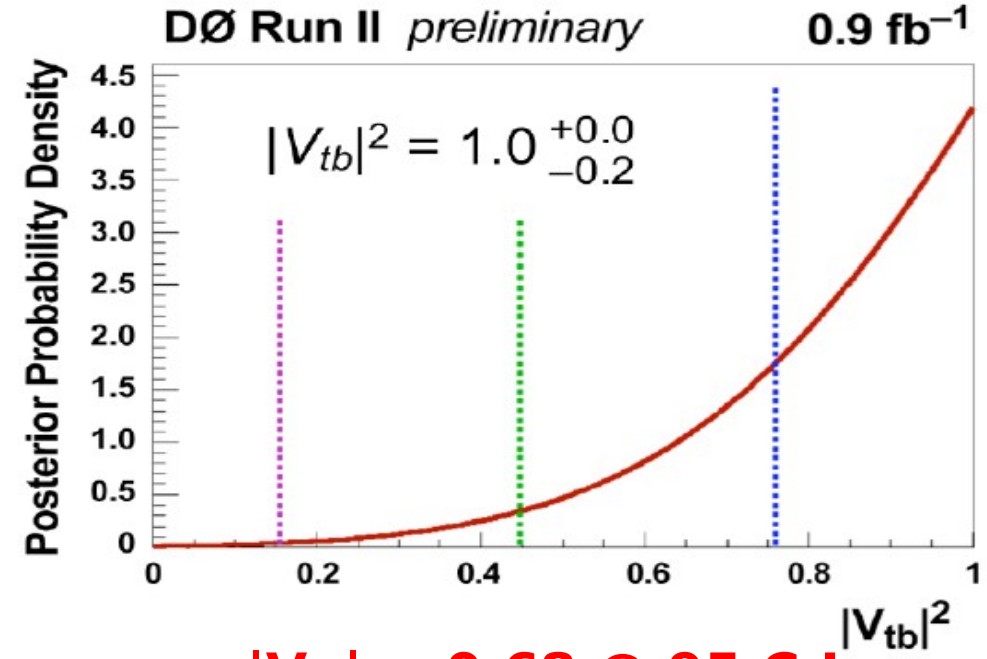
- **SM top decay:** $V_{td}^2 + V_{ts}^2 \ll V_{tb}^2$
- Pure V-A and CP conserving interaction

	s	t
top mass	13%	8.5%
scale	5.4%	4.0%
PDF	4.3%	10.0%
α_s	1.4%	0.01%

hep-ph/0408049



$|V_{tb} f_1^L| = 1.3 \pm 0.2$



$|V_{tb}| > 0.68$ @ 95 C.L.
assuming $f_1^L = 1$ (SM)

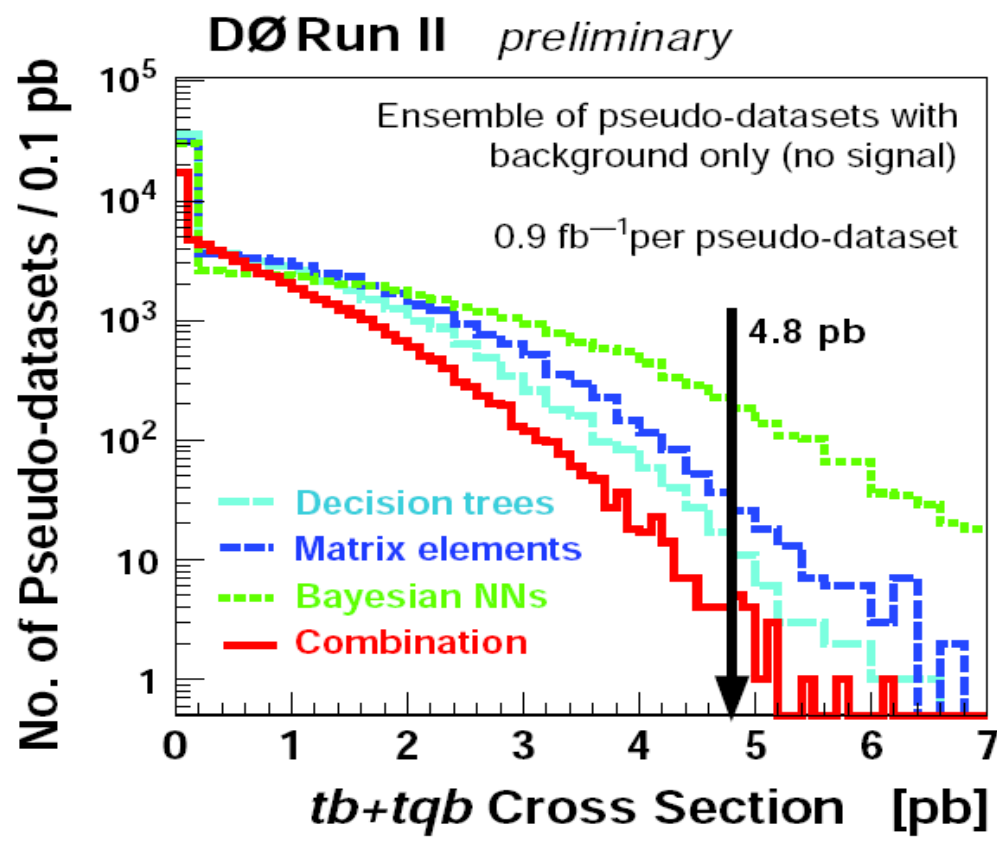
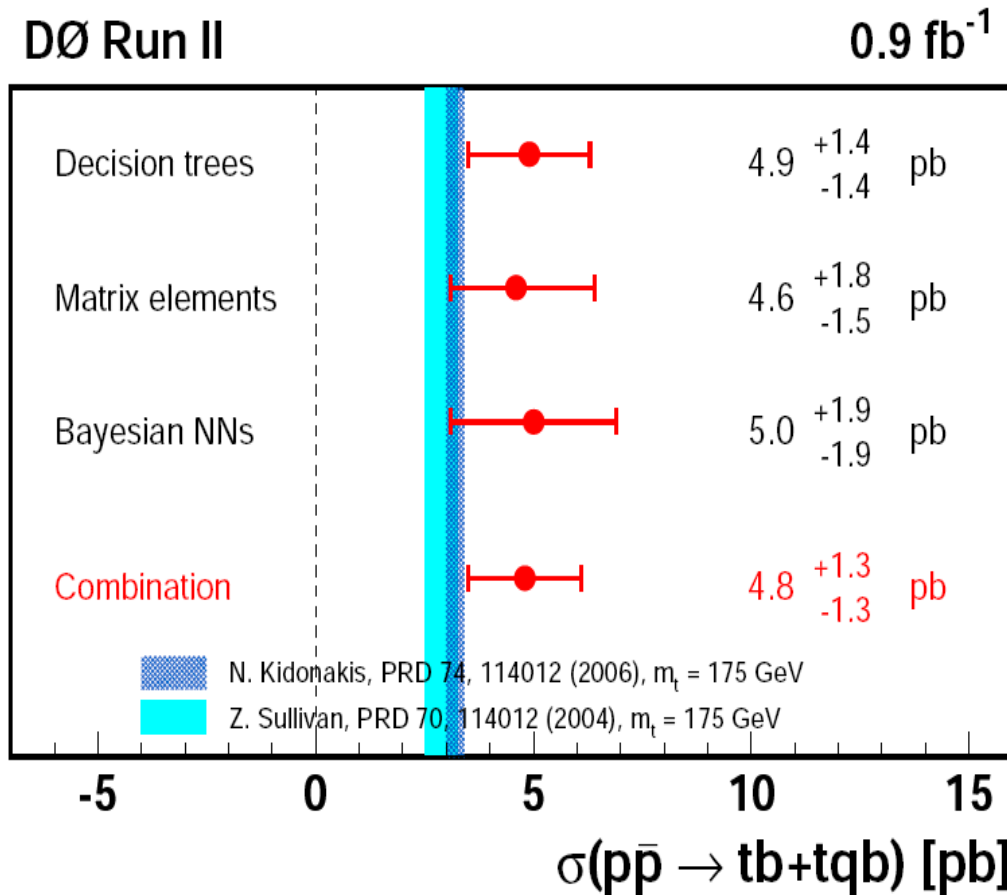
This measurement does not assume 3 generations or unitarity

Combination of analyses new!

- ▶ Combine the three measurements with BLUE method
- ▶ Method requires to measure the correlations
- ▶ Used SM pseudo-datasets with systematics

$$\rho = \begin{pmatrix} & DT & ME & BNN \\ DT & 1 & 0.57 & 0.51 \\ ME & 0.57 & 1 & 0.45 \\ BNN & 0.51 & 0.45 & 1 \end{pmatrix}$$

Combined result: 4.8 ± 1.3 pb \rightarrow Significance of 3.5 std. dev.



Conclusions

First evidence for single top quark production
and direct measurement of $|V_{tb}|$

(hep-ex/0612052 submitted to PRL)

$$\sigma(s+t) = 4.8 \pm 1.3 \text{ pb}$$

3.5σ significance!

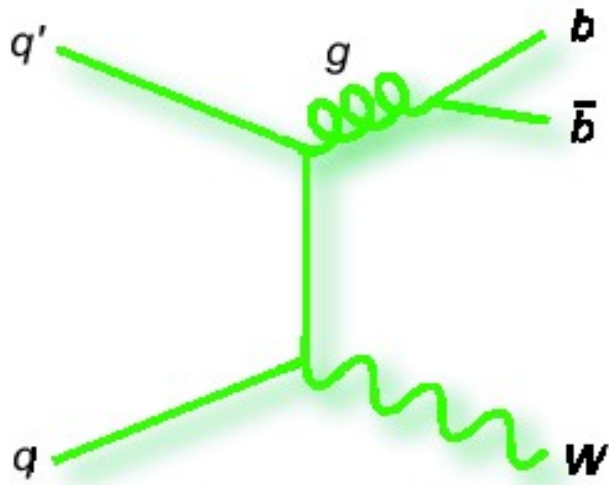
$$|V_{tb}| > 0.68 \text{ @ } 95\% \text{ C.L.}$$

- Challenging analysis: small signal hidden in huge complex background
- Expand to searches of new phenomena
- We now have double the data to analyze!

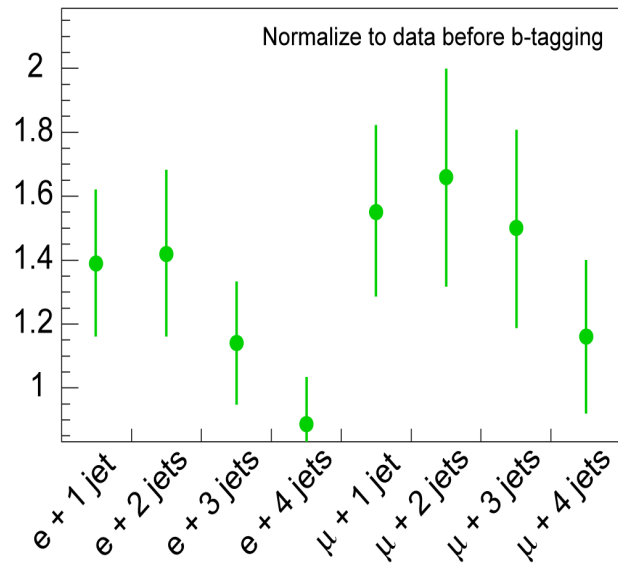
Extra Slides

Signal and Background modeling

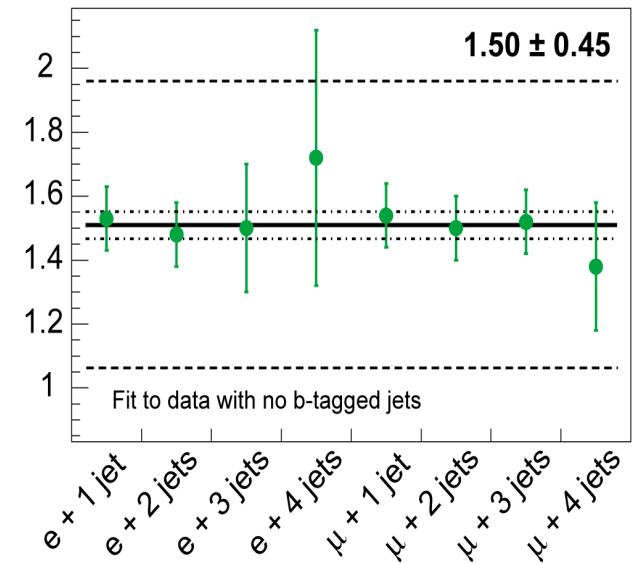
- ▶ Signal is modeled with CompHEP (effective NLO) + Pythia
- ▶ W +jets and $t\bar{t}$ shapes from Alpgen with MLM matching + Pythia
- ▶ $t\bar{t}$ normalized to NNLO $\sigma = 6.8 \pm 1.2$ pb
- ▶ QCD from our selected data with non-isolated lepton
- ▶ Normalize W +jets and QCD to data before tagging (SF ~ 1.4)
- ▶ Determine W_{bb} and W_{cc} fractions in W +jets from zero-tagged data
 - ▶ $W_{bb}+W_{cc}$ factor 1.50 ± 0.45 makes all distributions match data



W +jets normalization factors



$W_{b\bar{b}}+W_{c\bar{c}}$ scale factor

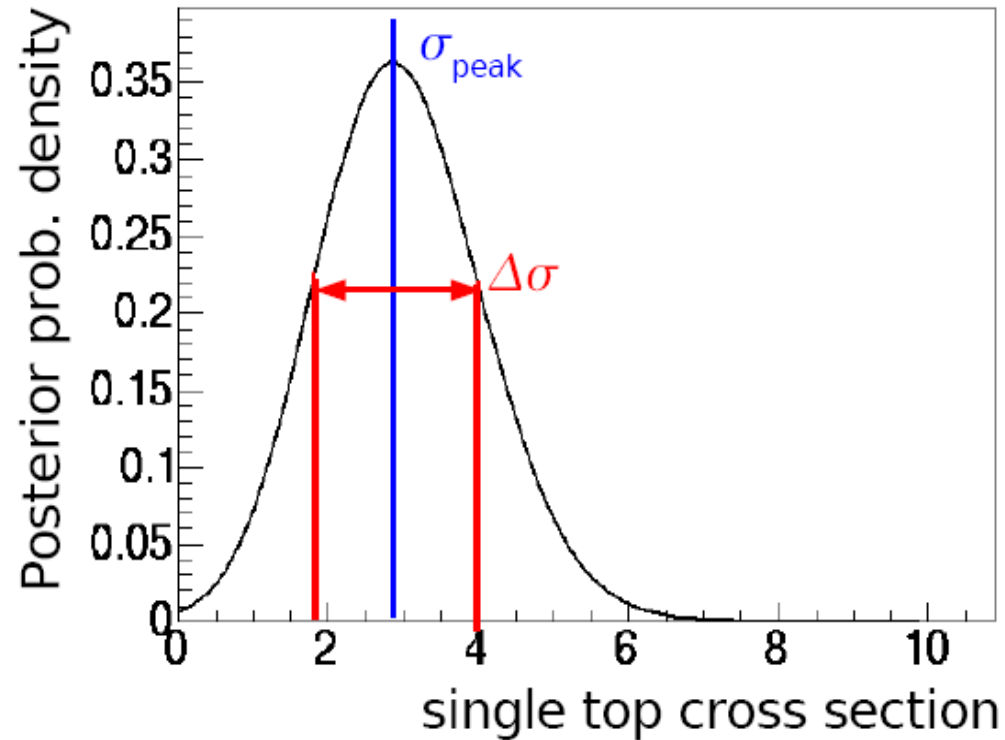


Measuring the cross section

- ▶ We form a binned likelihood from the discriminant outputs
- ▶ Probability to observe data distribution D , expecting y :

$$y = \underbrace{\alpha \mathcal{L} \sigma}_{\text{signal}} + \underbrace{\sum_{s=1}^N b_s}_{\text{bkgd.}} = a\sigma + \sum_{s=1}^N b_s$$

$$P(D|y) \equiv P(D|\sigma, a, b) = \prod_{i=1}^{nbins} P(D_i|y_i)$$



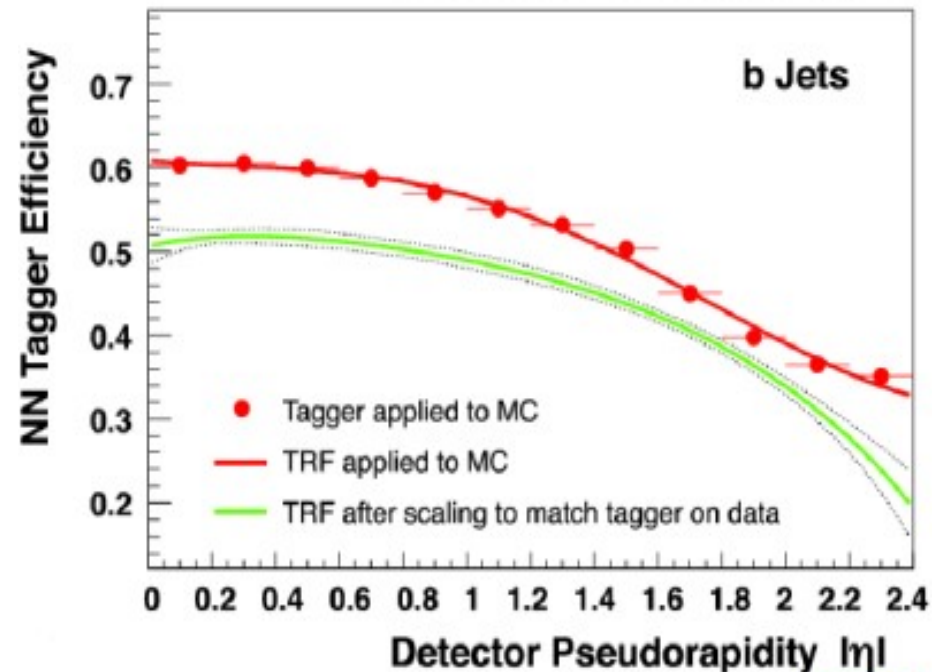
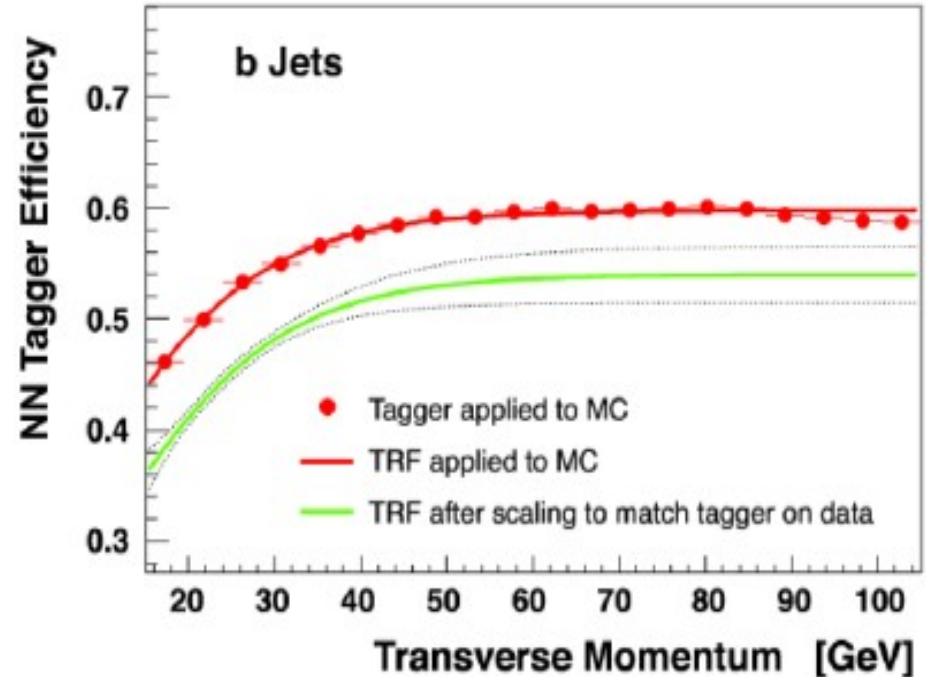
- ▶ And obtain a Bayesian posterior probability density as a function of the cross section:

$$Post(\sigma|D) \equiv P(\sigma|D) \propto \int_a \int_b P(D|\sigma, a, b) \text{Prior}(\sigma) \text{Prior}(a, b)$$

- Shape and normalization systematics treated as nuisance parameters
- Correlations between uncertainties properly accounted for
- Flat prior in signal cross section

NN b-jet tagger

- ▶ NN trained on 7 input variables from SVT, JLIP and CSIP taggers
- ▶ **Much improved performance!**
 - Fake rate reduced by 1/3 for same b-efficiency relative to previous tagger
 - Smaller systematic uncertainty
- ▶ Tag Rate Functions (TRFs) in η , p_T and z-PV derived in data are applied to MC
- ▶ Our operating point:
 - b-jet efficiency: $\sim 50\%$
 - c-jet efficiency: $\sim 10\%$
 - Light-jet efficiency: $\sim 0.5\%$



Decision Trees: 49 variables

Object Kinematics

$p_T(\text{jet1})$
 $p_T(\text{jet2})$
 $p_T(\text{jet3})$
 $p_T(\text{jet4})$
 $p_T(\text{best1})$
 $p_T(\text{notbest1})$
 $p_T(\text{notbest2})$
 $p_T(\text{tag1})$
 $p_T(\text{untag1})$
 $p_T(\text{untag2})$

Angular Correlations

$\Delta R(\text{jet1}, \text{jet2})$
 $\cos(\text{best1}, \text{lepton})_{\text{besttop}}$
 $\cos(\text{best1}, \text{notbest1})_{\text{besttop}}$
 $\cos(\text{tag1}, \text{alljets})_{\text{alljets}}$
 $\cos(\text{tag1}, \text{lepton})_{\text{btaggedtop}}$
 $\cos(\text{jet1}, \text{alljets})_{\text{alljets}}$
 $\cos(\text{jet1}, \text{lepton})_{\text{btaggedtop}}$
 $\cos(\text{jet2}, \text{alljets})_{\text{alljets}}$
 $\cos(\text{jet2}, \text{lepton})_{\text{btaggedtop}}$
 $\cos(\text{lepton}, Q(\text{lepton}) \times z)_{\text{besttop}}$
 $\cos(\text{lepton}_{\text{besttop}}, \text{besttop}_{\text{CMframe}})$
 $\cos(\text{lepton}_{\text{btaggedtop}}, \text{btaggedtop}_{\text{CMframe}})$
 $\cos(\text{notbest}, \text{alljets})_{\text{alljets}}$
 $\cos(\text{notbest}, \text{lepton})_{\text{besttop}}$
 $\cos(\text{untag1}, \text{alljets})_{\text{alljets}}$
 $\cos(\text{untag1}, \text{lepton})_{\text{btaggedtop}}$

Event Kinematics

Aplanarity(alljets, W)
 $M(W, \text{best1})$ ("best" top mass)
 $M(W, \text{tag1})$ ("b-tagged" top mass)
 $H_T(\text{alljets})$
 $H_T(\text{alljets} - \text{best1})$
 $H_T(\text{alljets} - \text{tag1})$
 $H_T(\text{alljets}, W)$
 $H_T(\text{jet1}, \text{jet2})$
 $H_T(\text{jet1}, \text{jet2}, W)$
 $M(\text{alljets})$
 $M(\text{alljets} - \text{best1})$
 $M(\text{alljets} - \text{tag1})$
 $M(\text{jet1}, \text{jet2})$
 $M(\text{jet1}, \text{jet2}, W)$
 $M_T(\text{jet1}, \text{jet2})$
 $M_T(W)$
Missing E_T
 $p_T(\text{alljets} - \text{best1})$
 $p_T(\text{alljets} - \text{tag1})$
 $p_T(\text{jet1}, \text{jet2})$
 $Q(\text{lepton}) \times \eta(\text{untag1})$
 \sqrt{s}
Sphericity(alljets, W)

Most discrimination:

$M(\text{alljets})$

$M(W, \text{tag1})$

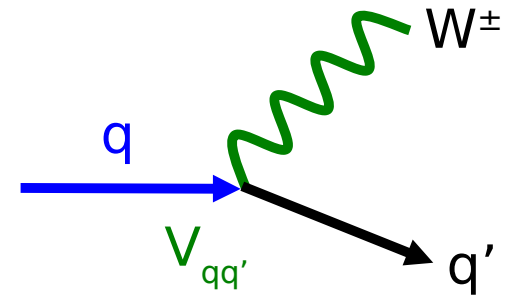
$\cos(\text{tag1}, \text{lepton})_{\text{btaggedtop}}$

$Q(\text{lepton}) \times \eta(\text{untag1})$

- Adding variables does not degrade performance
- Tested shorter lists, lose some sensitivity
- Same list used for all channels

$$|V_{tb}|$$

$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$



► Most general Wtb vertex:

$$\Gamma_{tbW}^\mu = -\frac{g}{\sqrt{2}} V_{tb} \left\{ \gamma^\mu [f_1^L P_L + f_1^R P_R] - \frac{i \sigma^{\mu\nu}}{M_W} (p_t - p_b)_\nu [f_2^L P_L + f_2^R P_R] \right\}$$

► Assume:

- **SM top decay:** $V_{td}^2 + V_{ts}^2 \ll V_{tb}^2$
- Pure V-A interaction: $\mathbf{f}_1^R = \mathbf{0}$
- CP conservation: $\mathbf{f}_2^L = \mathbf{f}_2^R = \mathbf{0}$

We are effectively measuring the **strength of the V-A coupling:**
 $|V_{tb} \mathbf{f}_1^L|$, which can be > 1