

Physics 114 - March 18, 2010

Exam Next Tuesday

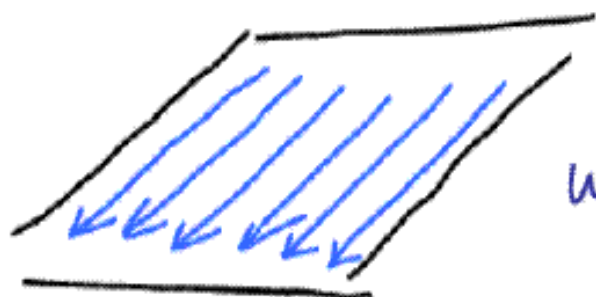
8 AM

Hoyt unless I email you otherwise

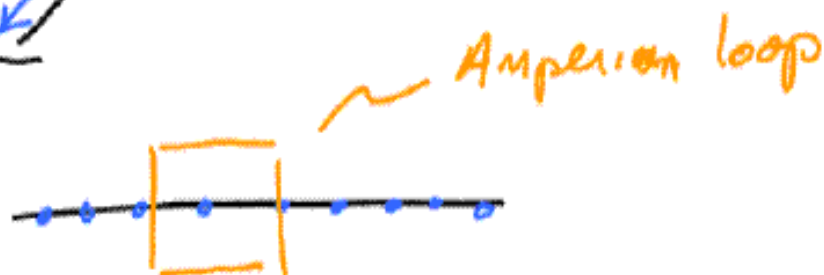
Q+A session Monday

Time/Loc TBA via email

Last Time:



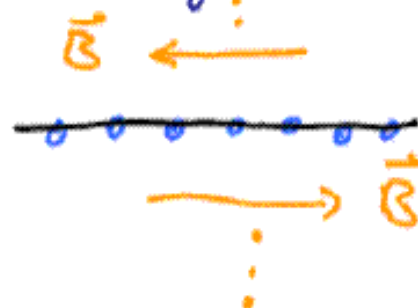
∞ current sheet
with linear
uniform current density j



use Ampere's Law + Symmetry to get

$$|B| = \frac{\mu_0 j}{2}$$

$\vec{B}$ uniform + ∞



Infinite
Solenoid

$\vec{B}$ field



B_{top}

B_{bottom}

$B=0$

..... Current out

$B = \mu_0 i n$

uniform

B_{top}
 B_{bottom}

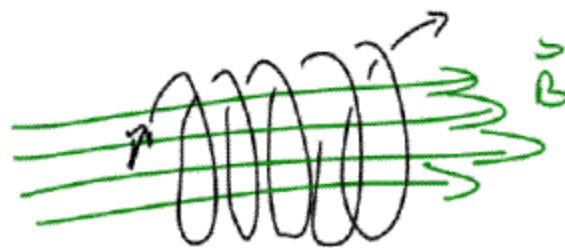
xxxxxx Current in

$B=0$

B_{top}
 B_{bottom}

$n \equiv \text{Turns/length}$

B_{bottom}



~~Reduction~~ Induction

A changing Magnetic field induces an EMF



a changing
electric
field

Michael Faraday
(1791-1867)

British Physicist
+
Chemist



Discovered
Magnetic induction

Farad named
after Faraday

Also invented the
Bunsen Burner

No changing fields Magneto statics

Kirchoff

$$\sum V|_{\text{closed loop}} = 0$$

$$E \sim - \frac{dV}{dx}$$

$$E \cdot dl \sim V$$

$$\oint \vec{E} \cdot d\vec{l} = 0 \quad \leftarrow$$

Kirchoff in
free space

Changing fields

$$\Sigma = \oint_{\text{closed loop}} \vec{E} \cdot d\vec{l} = - \frac{d\Phi_M}{dt}$$

$$\Phi_M = \int_{\text{surf}} \vec{B} \cdot d\vec{A}$$

Faraday's Law

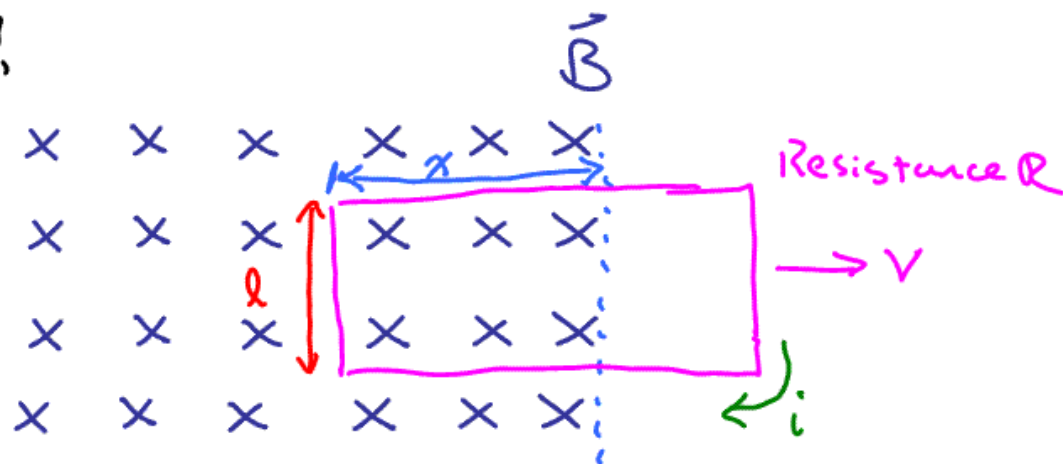
wires

Free space
materials

...

Lenz's Law - The induced current opposes the change that produced it

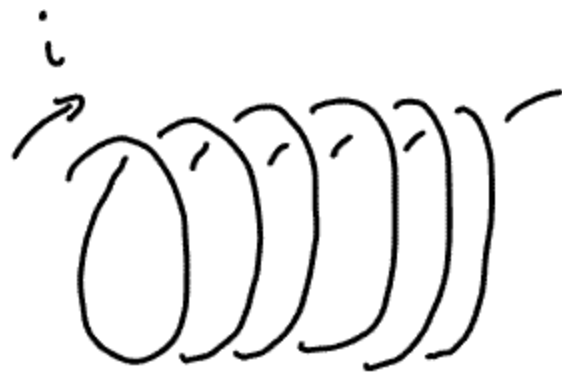
What is i ?



$$\mathcal{E} = -\frac{d\Phi_M}{dt} = -\frac{d(Blx)}{dt} = -Bl\frac{dx}{dt} = -Blv$$

$$\mathcal{E} = iR \quad |i| = \frac{\mathcal{E}}{R} = \frac{Blv}{R}$$

inductor
w/ out
a core



$$\phi_m \propto i$$



$$\phi_m = B A \quad \text{--- x Sect Area}$$

$$\phi_m = (\mu_0 n i) A$$

$$\phi_m \propto i$$

length of solenoid $\equiv l$

$$\# \text{ loops} = n l$$

$$\begin{aligned}\Phi_m &= (\mu_0 n i A) n l \\ \text{length } l &= \underbrace{[\mu_0 n^2 A l]}_{\text{geometry}} i\end{aligned}$$

$$\Phi_m = L i$$


 CONSTANT
of self-inductance

$$\frac{di}{dt} \rightarrow \frac{d\Phi_m}{dt} \rightarrow \varepsilon$$

$$\Phi_m = L i \qquad \varepsilon = - \frac{d\Phi_m}{dt} = - L \frac{di}{dt}$$



get a similar effect when one
circuit "talks" to another
... mutual inductance