

## Uses of SSA

- Used in almost all modern compilers
  - gimple form in GCC (version 4 in April 2005)
  - Open 64
    - OpenUH, UPC, AMD, Loongson compiler
  - LLVM
  - Jikes RVM
  - Java HotSpot VM
  - Mono's Mini JIT compiler
  - Crankshaft for Chromium V8 JavaScript engine (Dec. 2010)
  - PyPy's JIT compiler
  - Android's Dalvik VM's JIT compiler
  - Single-assignment C (SaC)
  - Boomerang decompiler
  - ML compiler MLton (Matthew Fluet at RIT)
  - LuaJIT

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## SSA: Static Single Assignment

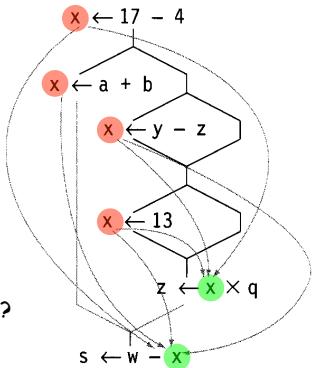
### History of SSA

- Two IBM groups
  - Kenneth Zadeck et al. on optimization
  - Ferrante et al. on control dependence
  - info session before paper submission to POPL 1986
  - joint paper in ACM Transactions on Programming Languages and Systems in 1991
- First academic and industry implementations
  - Rice compiler, Keith Cooper
  - SGI's MIPSpro compiler, Fred Chow, Shan Sun
    - Preston Briggs' interview
    - took four years for SSAPRE in a commercial compiler
      - Kennedy et al. TOPLAS 1999

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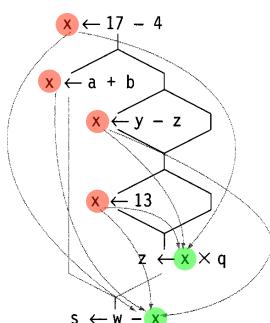
### Static Single Assignment (SSA)

- Size of a def-use graph
- SSA
  - each static definition defines a new name
  - each use has a single static definition
- Meet operation
  - $x \leftarrow \Phi(y, z)$
  - placement
- Naive SSA insertion
  - Algorithm?
  - How many  $\Phi$  functions are needed?

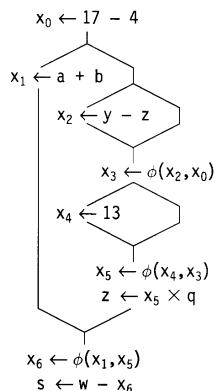


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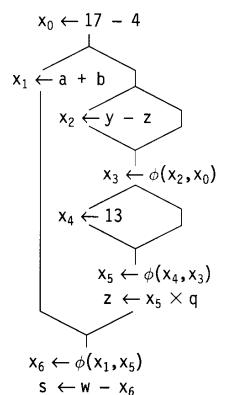
### Def-Use vs. SSA



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- How to identify the earliest meeting point of two values?
- Dominance frontiers DF(n)
  - a block f is in DF(n) if
    - n dominates a predecessor of f
    - n does not strictly dominate f
- implications
  - f is a join point
  - one of the predecessors of f is dominated by n

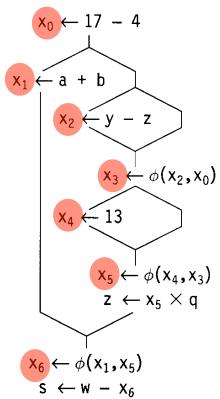


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### Control Flow in Data Flow

## Dominators

- Dominator analysis
  - $\text{Dom}(n)$  definition
- Data flow equation
- Initialization
- Convergence

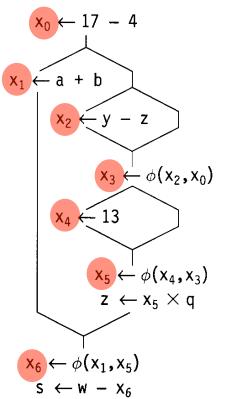


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## Computing Dominance Frontiers

- Dom to DF
  - backward alg. [EAC, Fig. 9.10]
  - forward alg., linear time [AK, Fig. 4.9]

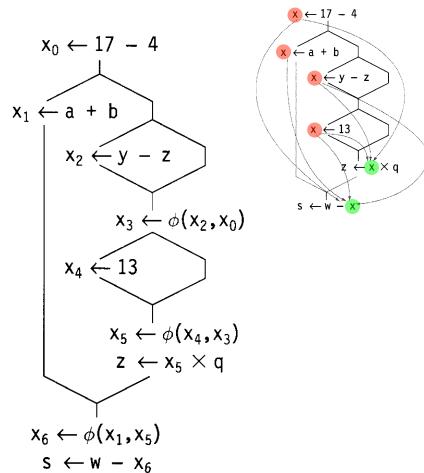
for each join  $j$   
for pred  $p$   
for all nodes  $n$  in dom tree  
from  $p$  up till  $\text{IDOM}(j)$   
 $j$  is in  $\text{DF}(n)$



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## SSA Algorithm

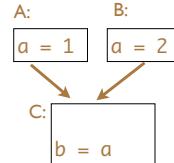
1. CFG
2. compute Dom
3. compute DF
4. insert phi
5. rename
6. reaching def
7. "destruct" SSA



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## Example 1

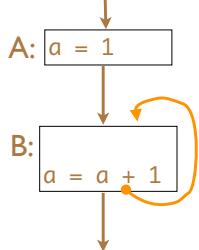
- IDOM DF phi renaming reach destruction



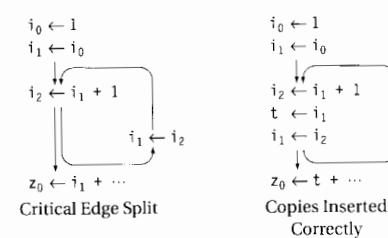
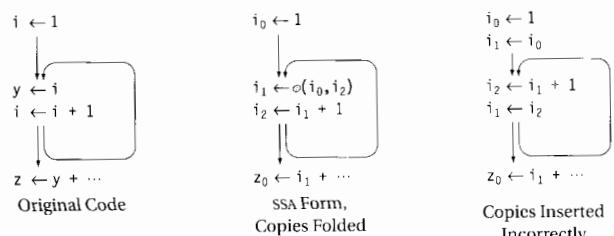
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## Example 2

- IDOM DF phi renaming reach destruction



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$x \leftarrow \dots$   
 $y \leftarrow \dots$   
 $t \leftarrow x$   
 $x \leftarrow y$   
 $y \leftarrow t$

Original Code

$x_0 \leftarrow \dots$   
 $y_0 \leftarrow \dots$   
 $x_1 \leftarrow \phi(x_0, y_1)$   
 $y_1 \leftarrow \phi(y_0, x_1)$

SSA Form,  
Copies Folded

$x_0 \leftarrow \dots$   
 $y_0 \leftarrow \dots$   
 $x_1 \leftarrow x_0$   
 $y_1 \leftarrow y_0$   
 $x_1 \leftarrow y_1$   
 $y_1 \leftarrow x_1$

After Naive  
Copy Insertion